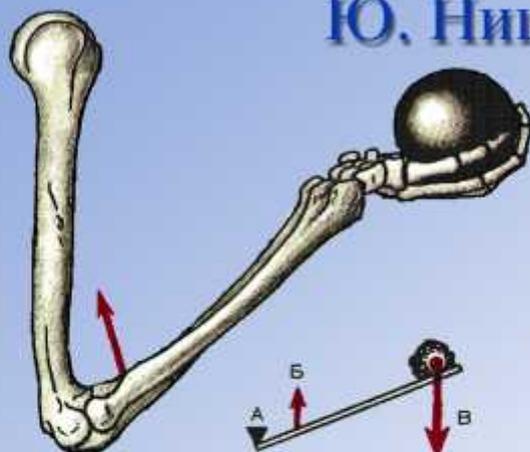


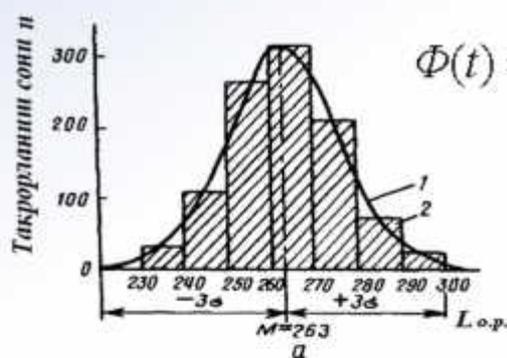
О.А.Хайдаров
Ю. Нишнонов



$$Z = \frac{1}{2\pi\sigma_x\sigma_y\sqrt{1-r_{xy}^2}} \cdot e^{-\frac{1}{2}Q(xy)}$$

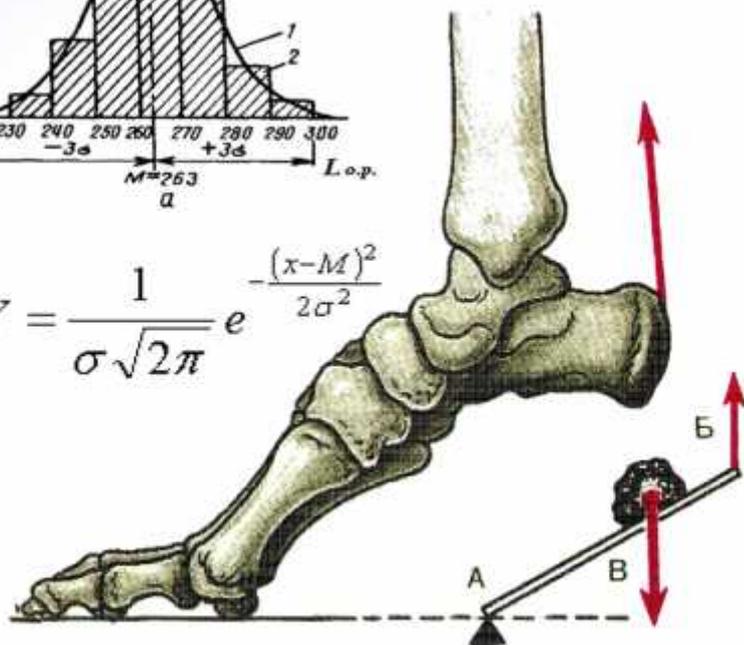
АМАЛИЙ АНТРОПОЛОГИЯ ВА БИОМЕХАНИКА АСОСЛАРИ

(Чарм буюмларини лойиҳалашга оид)



$$\Phi(t) = \frac{1}{\sqrt{2\pi}} \int_0^t e^{-\frac{x^2}{2}} dx$$

$$Y = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-M)^2}{2\sigma^2}}$$



ТОШКЕНТ-2010



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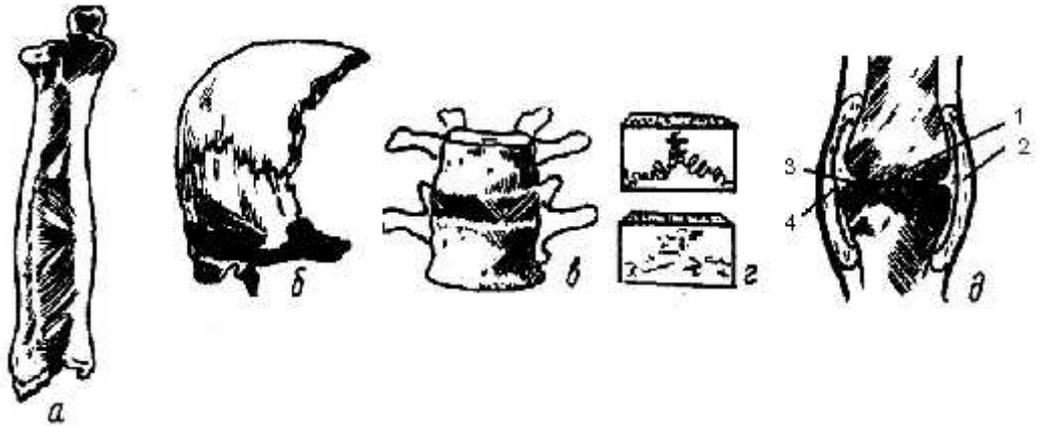
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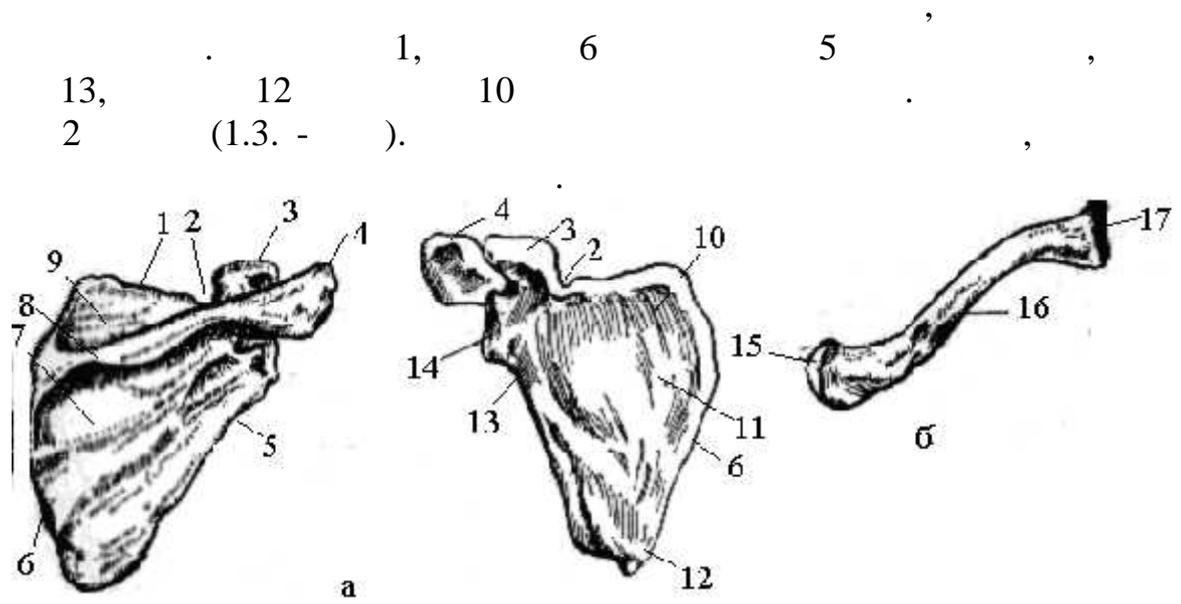
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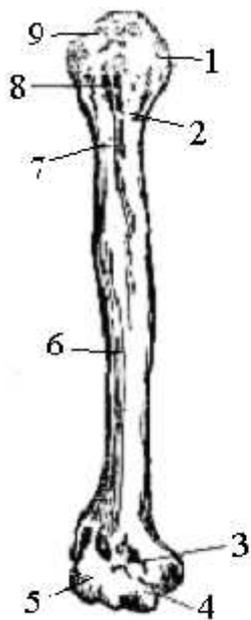
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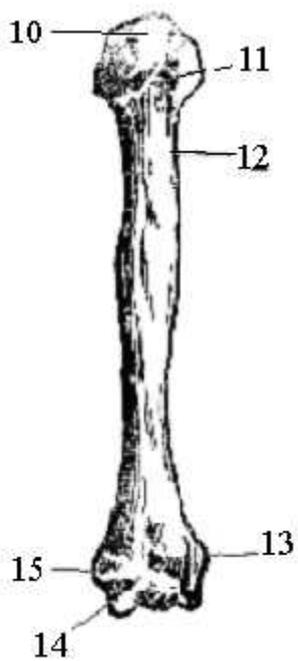


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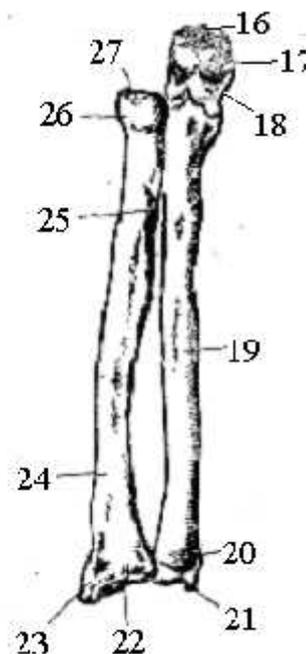
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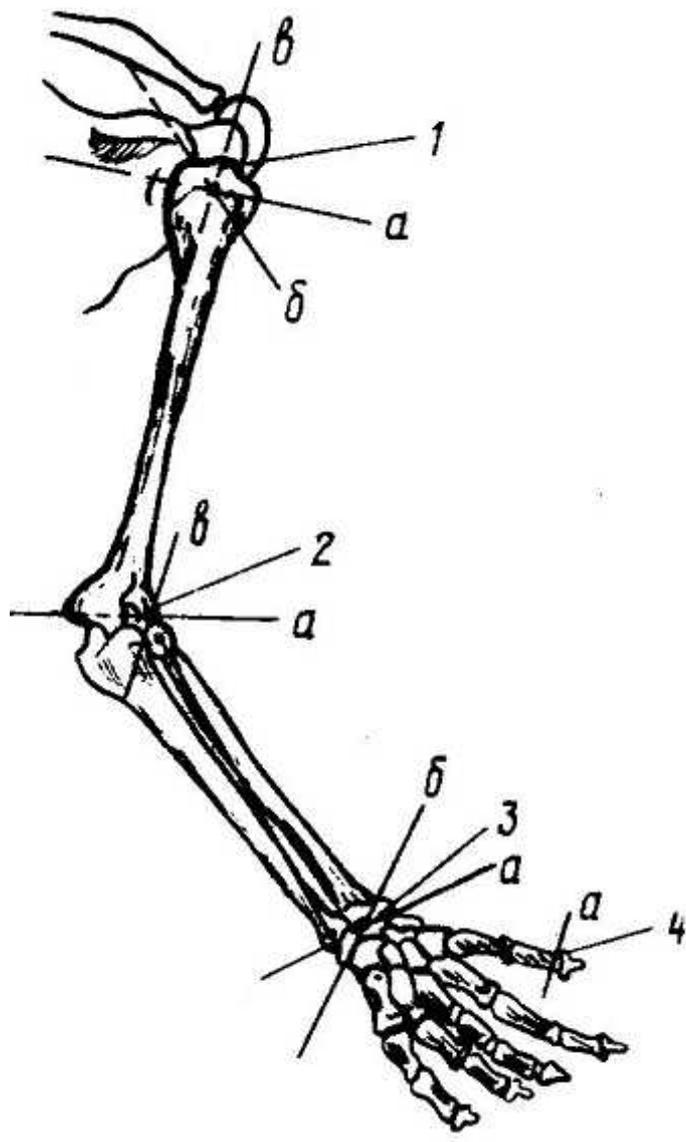
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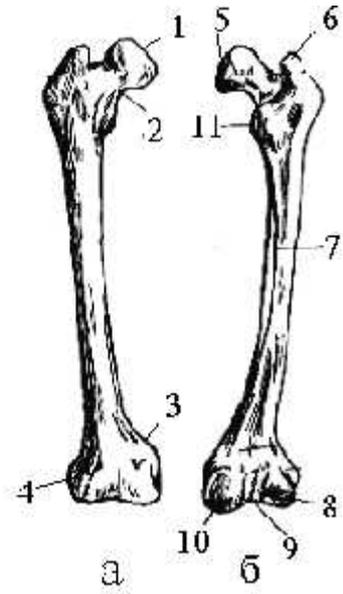
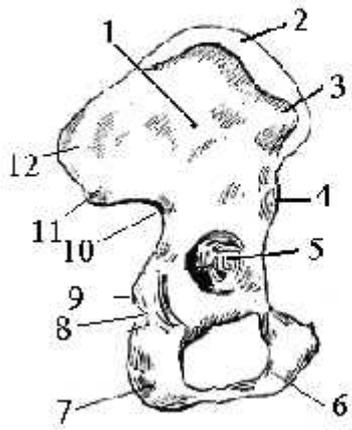


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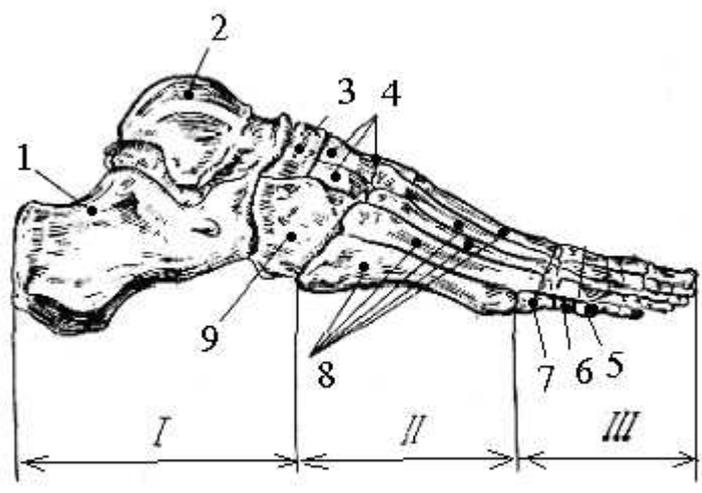
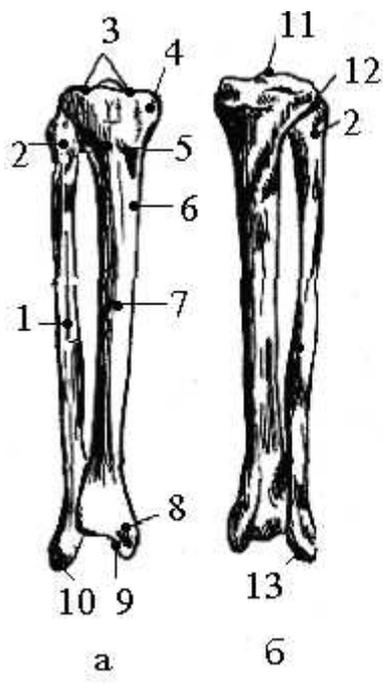
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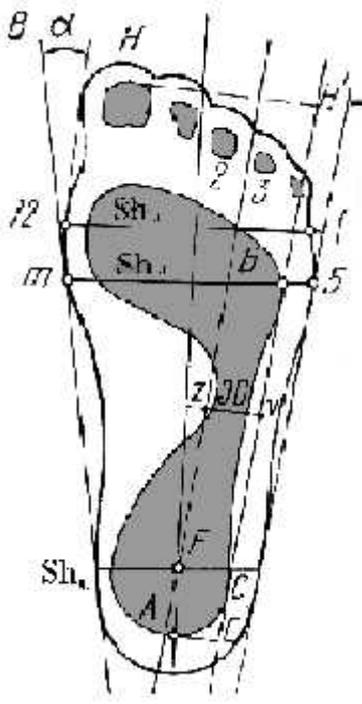
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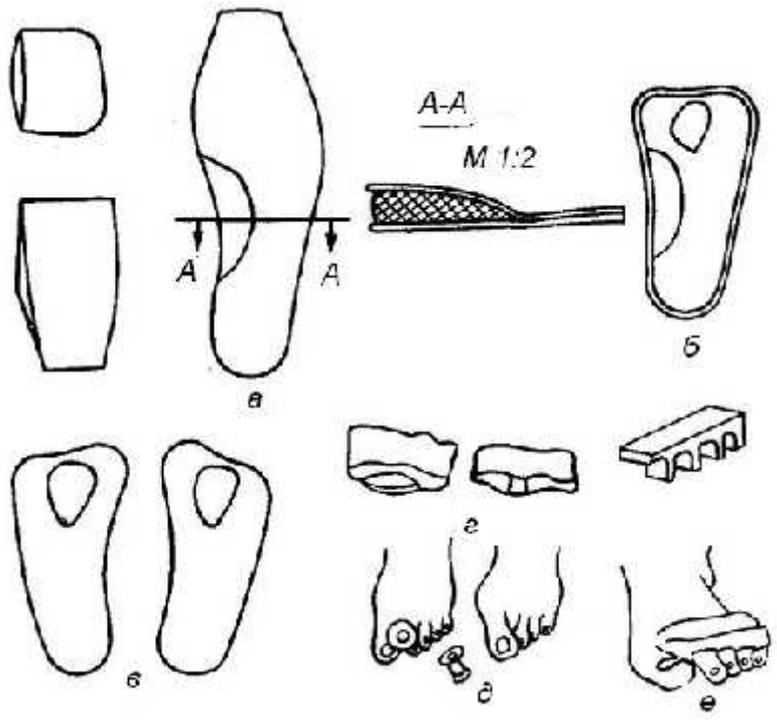
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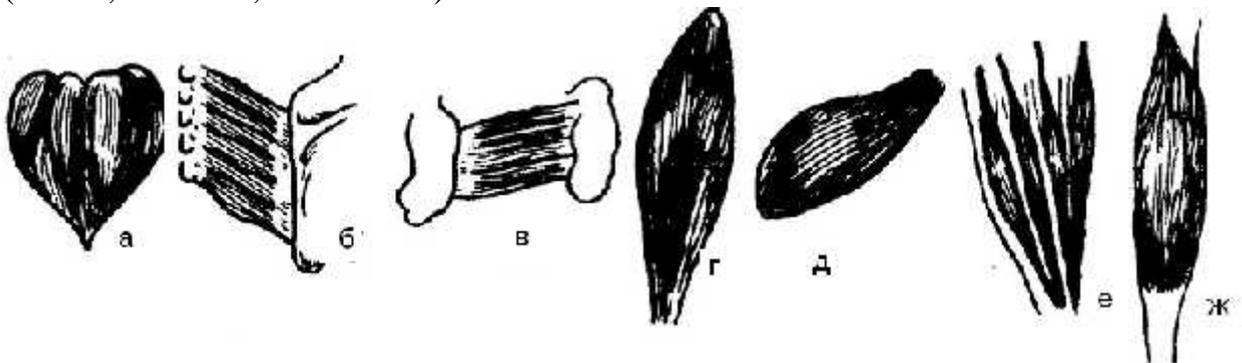
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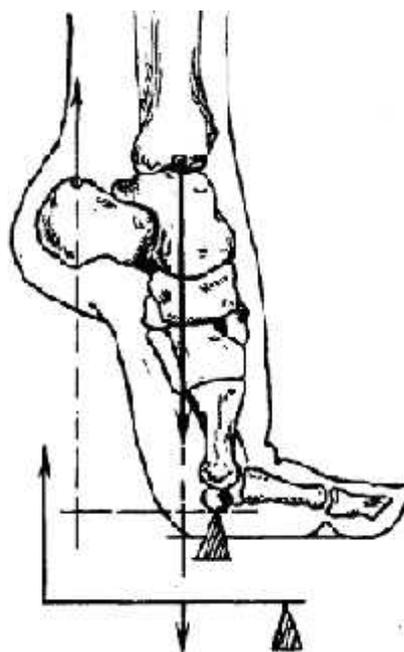
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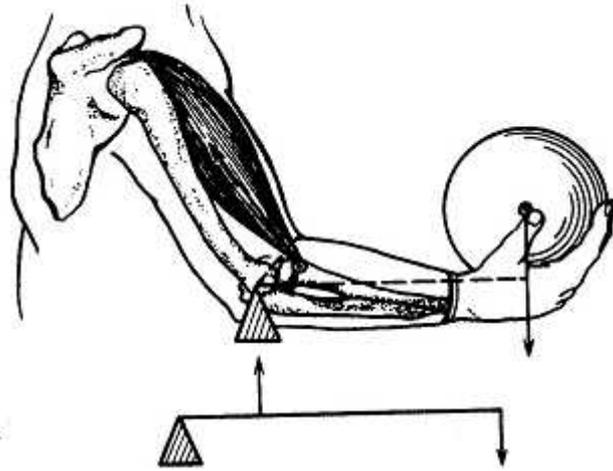
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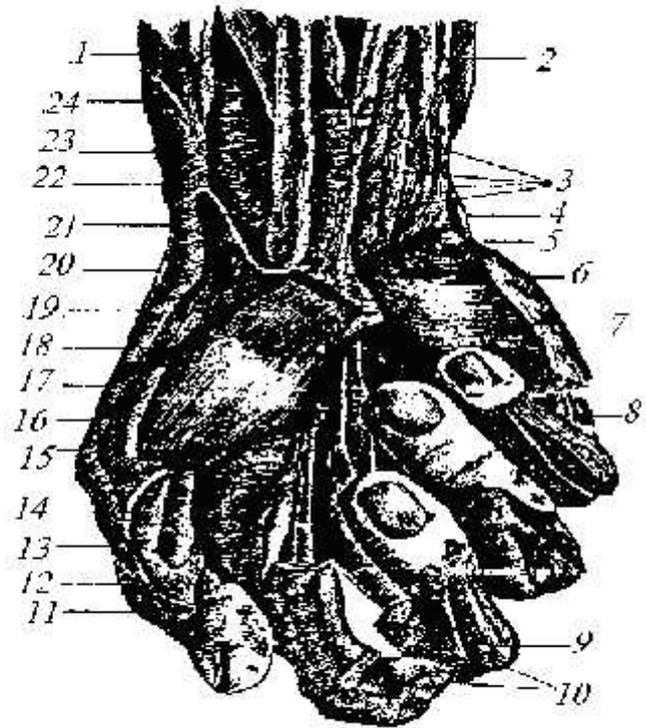
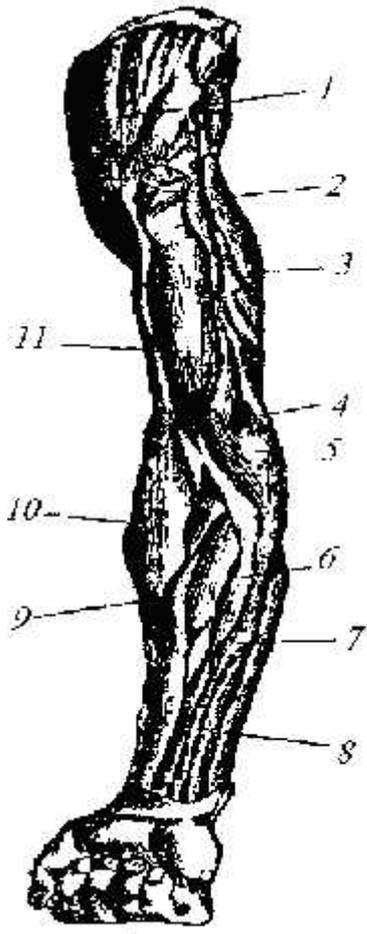
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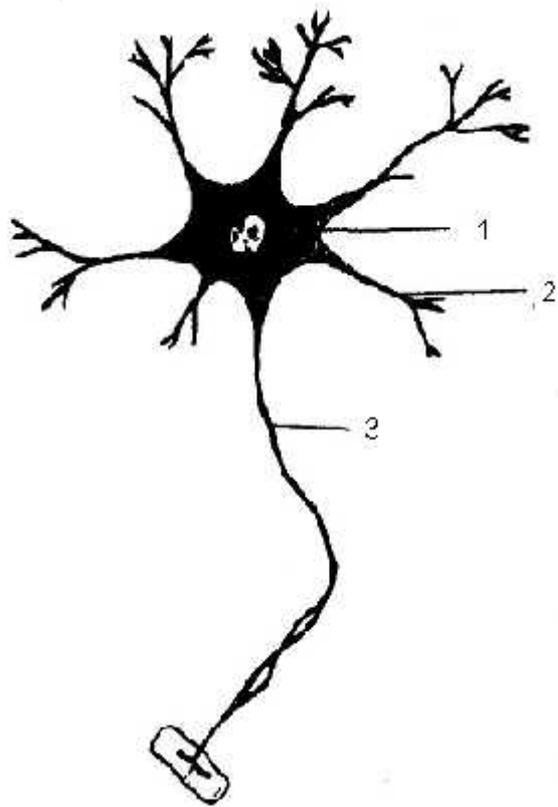
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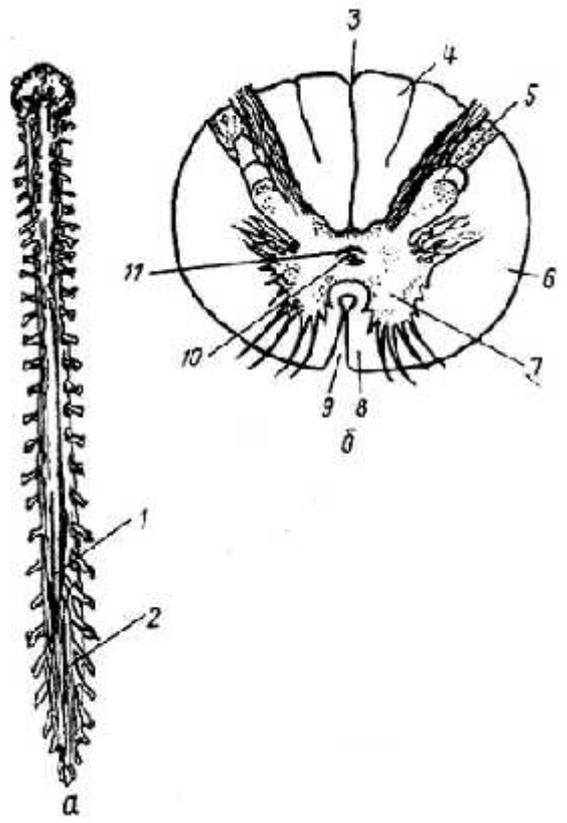
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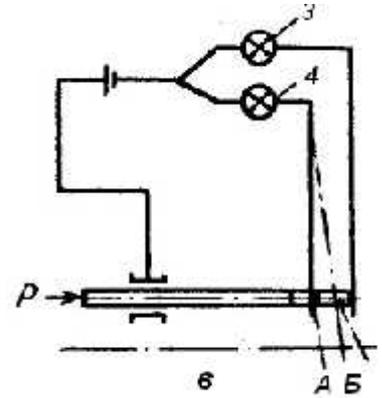
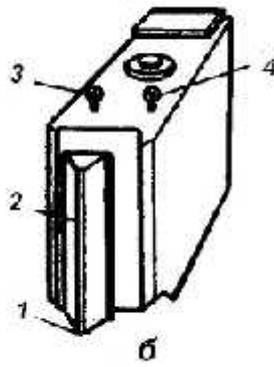
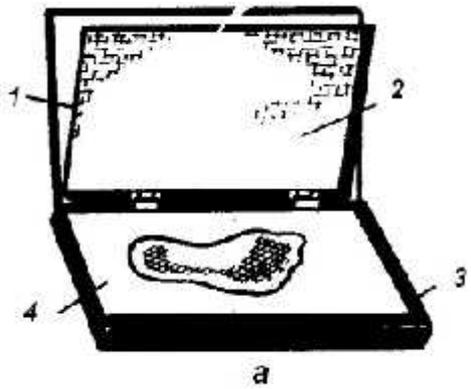
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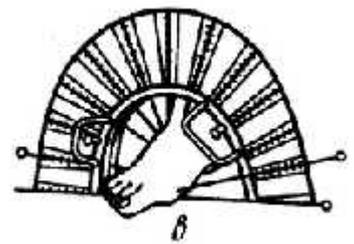
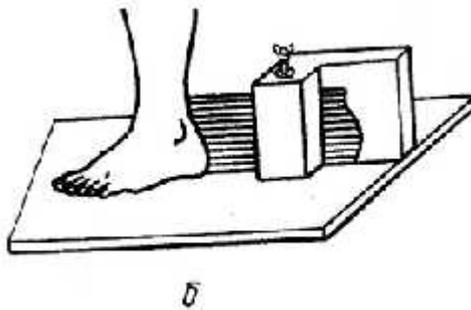
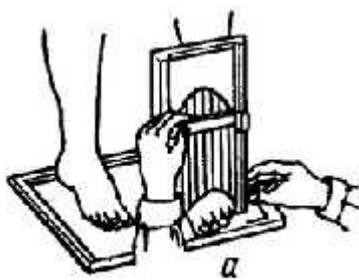
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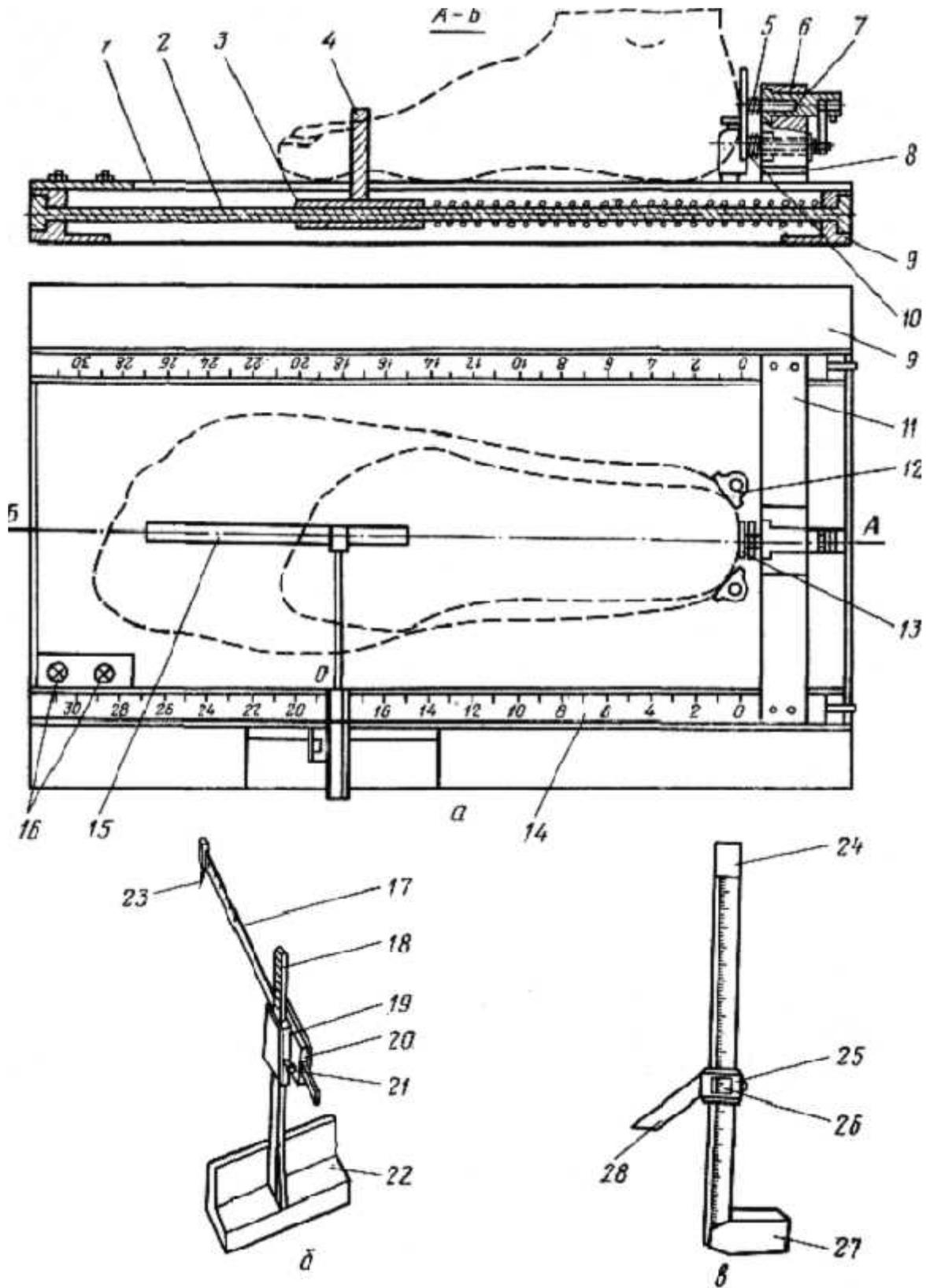
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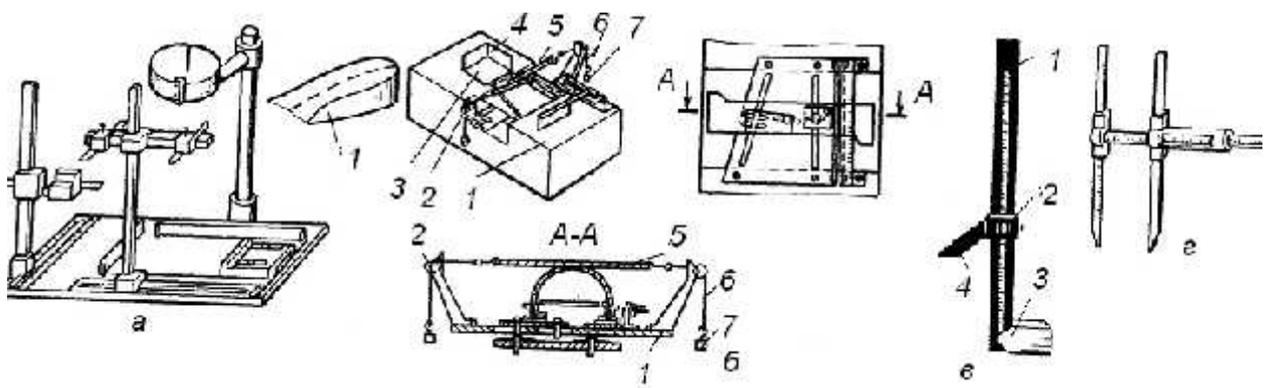
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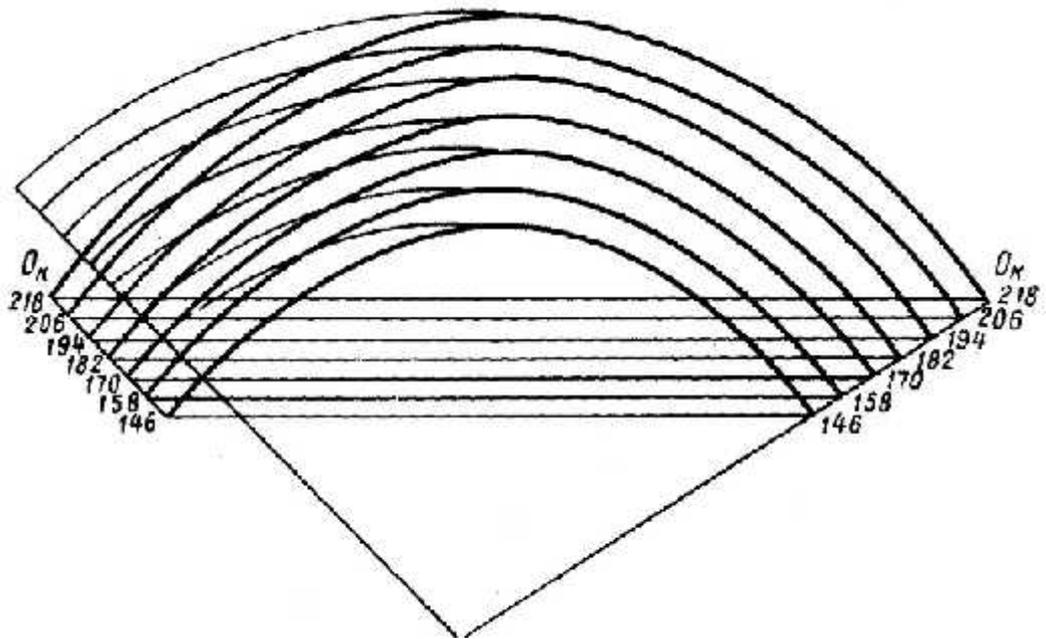


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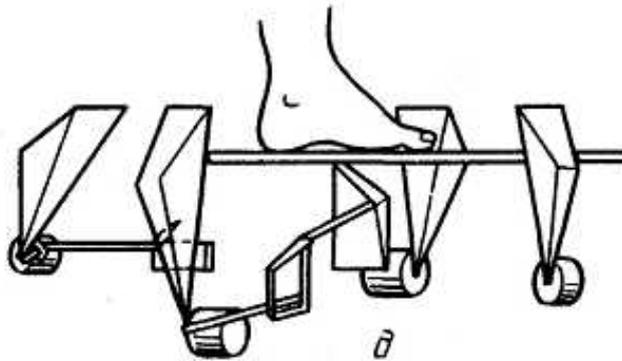
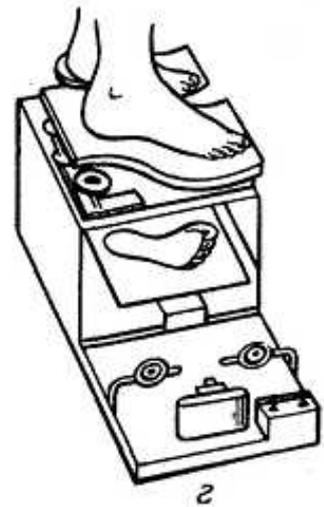
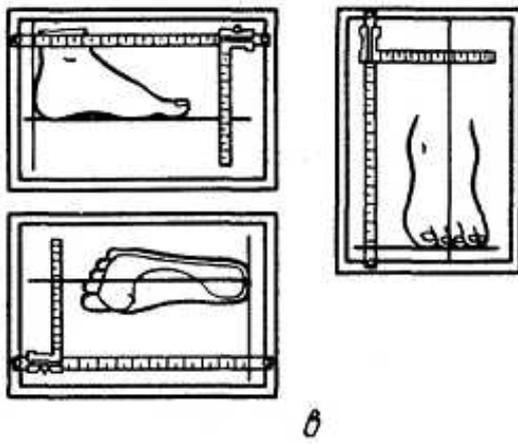
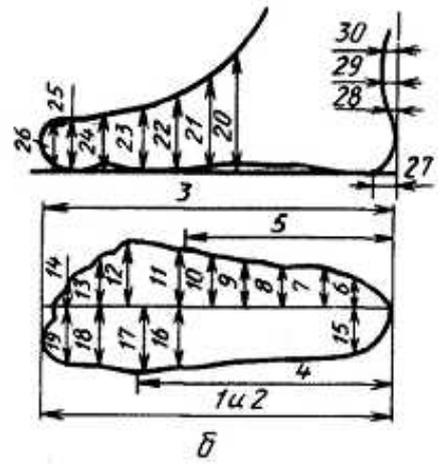
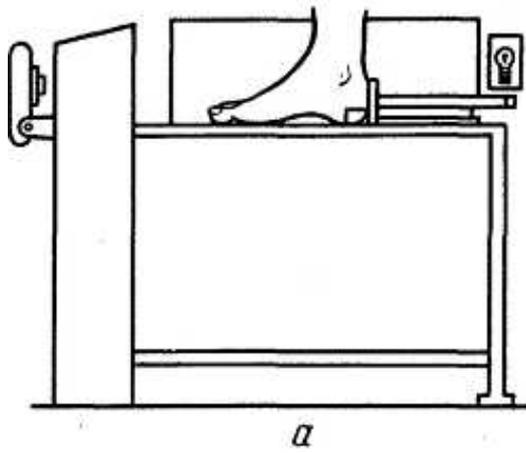
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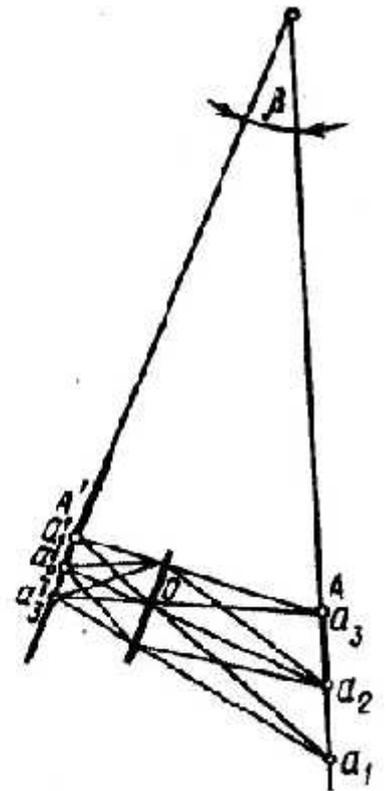
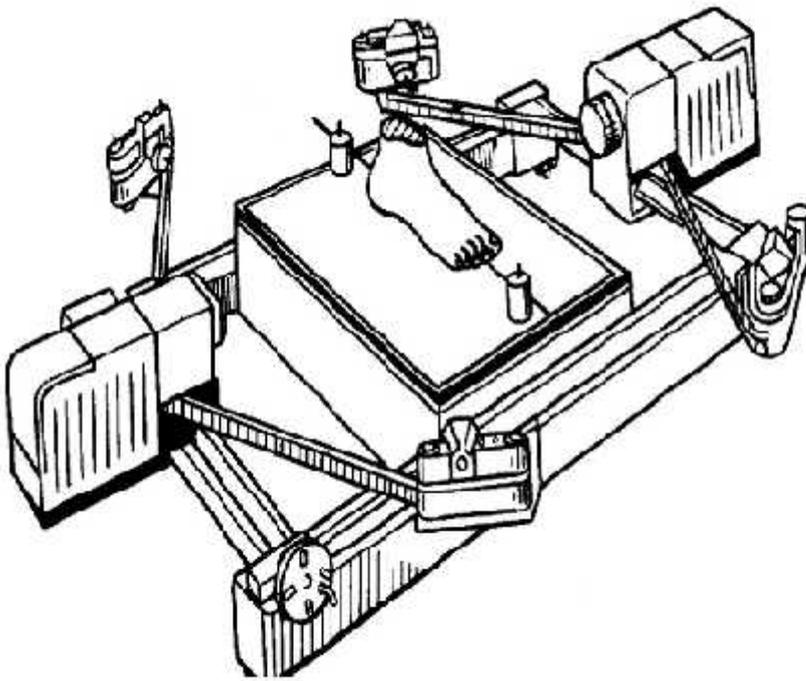
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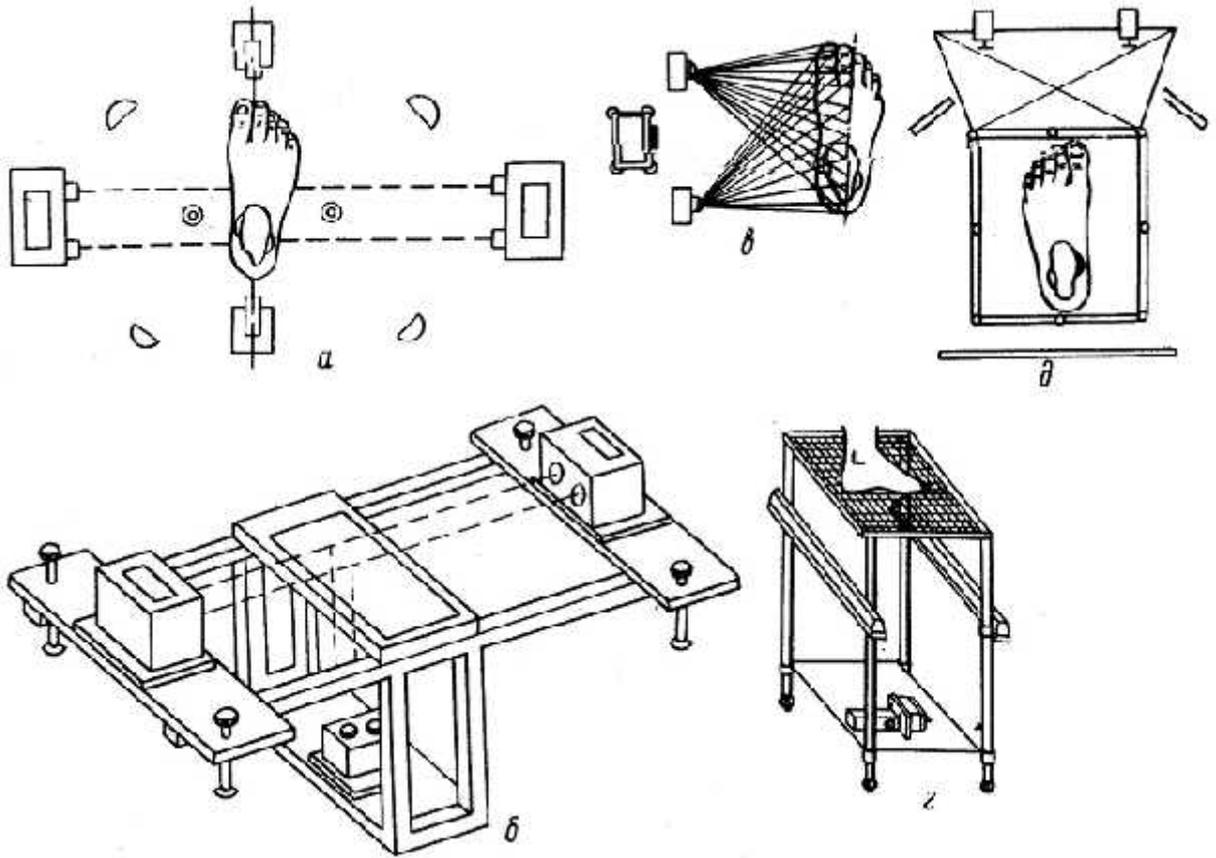
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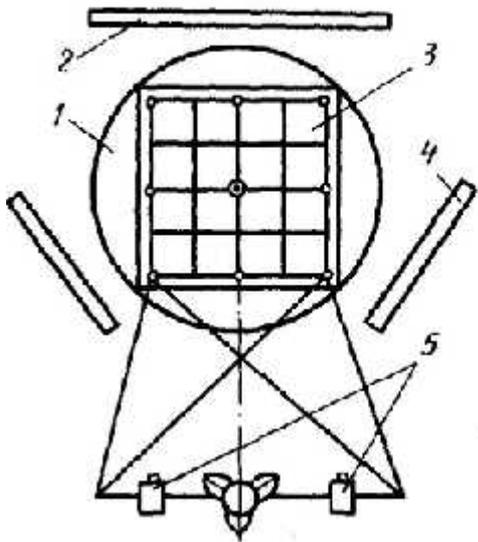


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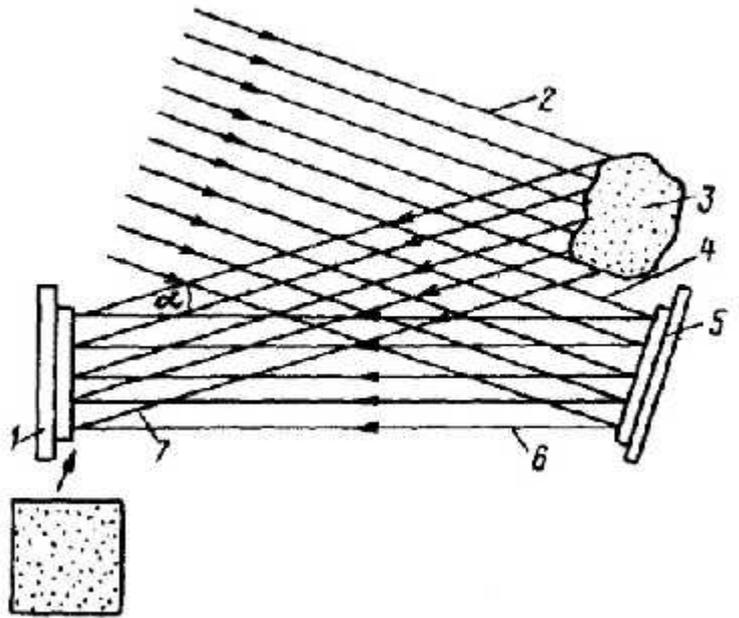


2.12-

- () ; - 10, 20, 30, 40 . ; - :



2.13-



2.14-

[8].

(2.14-3).

7 6

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4

6 %

5-8

(4

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(3

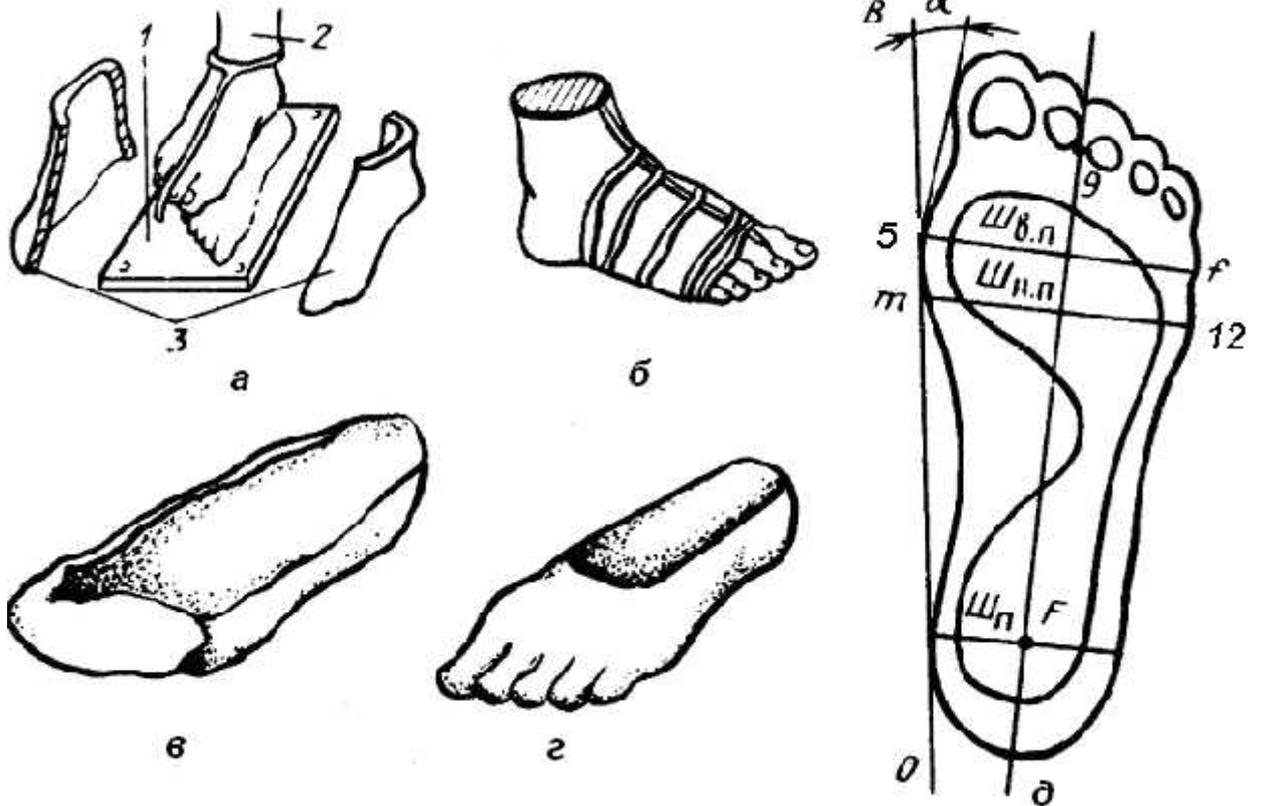
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15-20

8-10

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(2.15, -)



2.15-

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35

10

15-20

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(2.15, -).

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 (18-29); (20-44) (45)
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, 100-150

2.2.2

()

()

124

(2.2.)

$min = 144,2$, $max = 172$.

10 - 15

30

d_x

$$d_x = (max - min) / k,$$

$Min - max$

$$) d_x = 172 - 144,2 / 15 = 2mm.$$

(2.2.

15

124
2.3.

/	<i>L...</i>	/	<i>L...</i>	/	<i>L...</i>	/	<i>L...</i>	/	<i>L...</i>
1	144,2	26	153,9	51	157,1	76	159,3	101	162,2
2	145,5	27	154,1	52	157,3	77	159,3	102	162,4
3	<u>147,2</u>	28	154,2	53	<u>157,4</u>	78	159,4	103	162,7
4	147,6	29	154,6	54	157,6	79	<u>159,4</u>	104	162,7
5	147,9	30	154,8	55	157,6	80	159,8	105	163,1
6	148,5	31	154,9	56	157,7	81	159,9	106	163,3
7	149,2	32	155,2	57	157,8	82	160,0	107	<u>163,4</u>
8	<u>149,4</u>	33	155,2	58	157,8	83	160,1	108	163,5
9	150,3	34	155,3	59	157,9	84	160,2	109	163,6
10	150,9	35	<u>155,4</u>	60	158,0	85	160,4	110	163,8
11	151,2	36	155,5	61	158,2	86	160,4	111	163,9
12	151,3	37	155,7	62	158,2	87	160,6	112	164,0
13	<u>151,4</u>	38	155,7	63	158,3	88	160,7	113	164,7
14	151,6	39	155,8	64	158,3	89	160,7	114	165,2
15	151,9	40	155,9	65	158,4	90	160,8	115	<u>165,4</u>
16	152,3	41	155,9	66	158,5	91	160,9	116	165,5
17	152,4	42	156,0	67	158,5	92	161,2	117	165,7
18	152,8	43	156,0	68	158,6	93	161,2	118	166,0
19	153,1	44	156,3	69	158,7	94	161,3	119	166,2
20	153,2	45	156,4	70	158,8	95	<u>161,4</u>	120	167,1
21	153,2	46	156,4	71	159,0	96	161,5	121	168,4
22	153,4	47	156,6	72	159,0	97	161,6	122	169,1
23	<u>153,4</u>	48	156,7	73	159,1	98	161,8	123	171,1
24	153,6	49	156,8	74	159,2	99	161,8	124	<u>172,0</u>
25	153,8	50	156,9	75	159,2	100	162,0		

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(2.4.).

2.4.

(2.2.).

 d_x

(2.5.).

 Y X

(2.16-).

2.3.

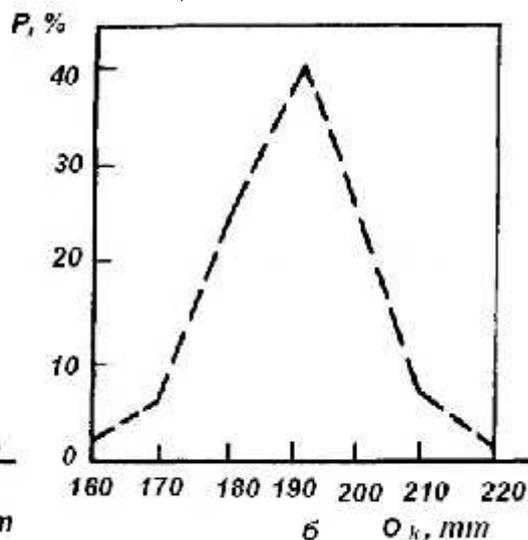
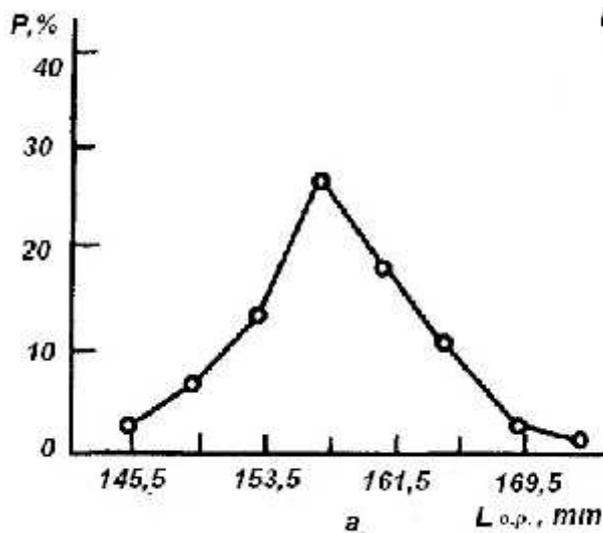
143,5 – 145,4	1	159,5 – 161,4	16
145,5 – 147,4	2	161,5 – 163,4	12
147,5 – 149,4	5	163,5 – 165,4	8
149,5 – 151,4	5	165,5 – 167,4	5
151,5 – 153,4	10	167,5 – 169,4	2
153,5 – 155,4	12	169,5 – 171,4	1
155,5 – 157,4	18	171,5 – 173,4	1
157,5 – 159,4	26		$N = 124$

2.4.

	50	50-100	100-190	190-400	400-730	730-1460	1460-3030	3030-5880
k	6	7	8	9	10	11	12	13
:	“ ”							

2.5.

143,5 – 147,4	145,5	3
147,5 – 151,4	149,5	10
151,5 – 155,4	153,5	22
155,5 – 159,4	157,5	44
159,5 – 163,4	161,5	28
163,5 – 167,4	165,5	13
167,5 – 171,4	169,5	3
171,5 – 175,4	173,5	1



2.16-

()

()

2.2.3.

$$= \sum_{i=1}^n \frac{x_i}{n},$$

x_i — x_i ($i = 1, 2, \dots, n$); n —

$$M_x = \sum_{i=1}^n \frac{x_i P_{xi}}{n},$$

P_{xi} —

$$M_{umumiy} = \frac{M_{x1}n_1 + M_{x2}n_2 + \dots + M_{xi}n_i}{n_1 + n_2 + \dots + n_i} = \frac{\sum M_{xi}n_i}{\sum n_i}.$$

(2.3.) 157,5 159,4

($n = 26$).

$$M_e = \%_i + d_x \left(\frac{\frac{n}{2} - \sum i - 1}{n_i} \right),$$

i —

$i - 1$ —
 n_i —

$$s = \sqrt{\frac{\sum (x_i - M_x)^2}{n}}$$

$$: \sum (x_i - M_x)^2 -$$

; n-

†² ()
 ()
 ()
 2.3.
 2.6.
 A

A
 2.6.

					2	
143,5 – 145,4	144,45	1	-7	-7	49	1
145,5 – 147,4	146,45	2	-6	-12	72	3
147,5 – 149,4	148,45	5	-5	-25	125	8
149,5 – 151,4	150,45	5	-4	-20	80	13
151,5 – 153,4	152,45	10	-3	-30	90	23
153,5 – 155,4	154,45	12	-2	-24	48	35
155,5 – 157,4	156,45	18	-1	-18	18	53
157,5 – 159,4 A	158,45	26	0	0	0	79
159,5 – 161,4	160,45	16	1	16	16	95
161,5 – 163,4	162,45	12	2	24	48	107
163,5 – 165,4	164,45	8	3	24	72	115
165,5 – 167,4	166,45	5	4	20	80	120
167,5 – 169,4	168,45	2	5	10	50	122
169,5 – 171,4	170,45	1	6	6	36	123
171,5 – 173,4	172,45	1	7	7	49	124
					-29	833

$$A = 158,45$$

, -3, -2, -1, 0, +1, +2, +3,
 (-)
 ; (+)

n

$$l = \frac{A}{n} = -29 / 124 = -0,2339$$

A

:

$$= A + d_x \cdot l_x$$

; A -

d -

: -

; l -

$$: A = 158,45 ; d_x = 2 ; l = -0,2339;$$

$$= 158,45 + 2(-0,2339) = 157,98$$

$$l_x = \frac{A}{n} = -$$

$$t = \sqrt{\frac{\sum \epsilon^2}{n}} = \sqrt{\epsilon_{2x}}$$

$$/n = l$$

$$t_x = d_x \sqrt{\epsilon_{2x} - \epsilon_{1x}^2}$$

$$: P_x \sigma_x^2 = 833; n = 124; d_x = 2;$$

$$\sigma_{2x} = 833 \setminus 124 = 6,7177;$$

$$l_x = -0,2339;$$

$$t_x = 2\sqrt{6,7177 - (-0,2339)^2} = 2 \cdot 2,581 = 5,16mm.$$

$$t = 5,16$$

$$= 157,98$$

$$- t = 5,16$$

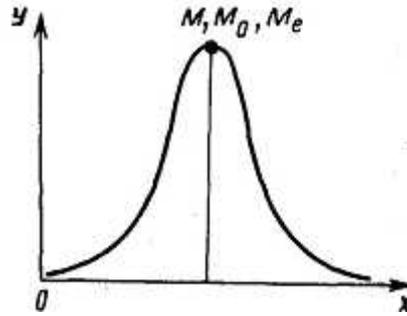
2.2.4.

()

»

«

(2.17.)



2.17-

$$Y = \frac{1}{\dagger \sqrt{2f}} e^{-\frac{(x-M)^2}{2\dagger^2}}$$

† -
= 2,71828

, † = 1

$$Y = \frac{1}{\sqrt{2f}} e^{-\frac{t^2}{2}}$$

f(t)

f(t)

(D).

$$t = (x - M) / \dagger,$$

: t -

; - -

$$n_t = f(t) \frac{n d_x}{\dagger},$$

n -

$= 5,38$, $n = 200$, $= 167,45$, $dx = 4$.
 2.7-

$n_t = f(t) \frac{200 * 4}{5,38} = f(t) 148,7$.
 $, 161,5 - 155,4$
 $n_t = 0,3034 * 148,7 = 45,12 \approx 45$.

(II) .
 $(t) = \frac{1}{2f} \int_0^t e^{-\frac{t^2}{2}} dx$.

II

II

$\pm x \uparrow$,
 ± 2 , $0,9545 = 95,4 \%$, $\pm 0,35 \uparrow$, $- 0,2737 =$
 27.3% .
 2.7.

			X -	t	f(t)	n _t
145,5 – 149,4	147,45	-	-20,0	-3,70	0,0004	-
149,5 – 153,4	151,45	2	-16,0	-2,96	0,0050	1
153,5 – 157,4	155,45	4	-12,0	-2,22	0,0339	5
157,5 – 161,4	159,45	16	-8,0	-1,48	0,1334	19
161,5 – 165,4	163,45	47	-4,0	-0,74	0,3034	45
<u>165,5 – 169,4</u>	<u>167,45</u>	<u>65</u>	<u>0</u>	<u>0</u>	<u>0,3989</u>	<u>60</u>
169,5 – 173,4	171,45	40	+4,0	0,74	0,3034	45
173,5 – 177,4	175,45	20	+8,0	1,48	0,1334	19
177,5 – 181,4	179,45	5	+12,0	2,22	0,0339	5
181,5 – 185,4	183,45	1	+16,0	2,96	0,0050	1
185,5 – 189,4	187,45	-	+20,0	3,70	0,0004	-
		n = 200				n _t = 200

155 185
 170 6

$t_1 = (155-170) / 6 = -15/6 = -2,5;$
 $t_2 = (185-170) / 6 = 2,5$.

$$t = 2,5 \quad (t) \quad \text{II} \quad t = 2,5 \quad (t) = 0,9876 = 98,7 \%$$

(,) ,

III

$$\pm 3,5$$

$$t \quad (t)$$

III

-

$$96$$

$$94 \quad 99$$

$$5$$

$$t_1 = (94 - 96) / 5 = -0,4; \quad t_2 = (99 - 96) / 5 = 0,6$$

$$\text{III} \quad (+0,6) = 0,7258, \quad (-0,4) = 0,3446$$

$$94$$

$$99$$

$$0,3812$$

$$0,7258 - 0,3446 =$$

$$38,1\%$$

$$, 96,4$$

$$94 \quad 98$$

(2.8-

$$(t) = 0,6844,$$

III

$$- (t) = 0,6255$$

$$(t)$$

$$(0,6844 + 0,6255 = 1,3099 - 1 = 0,3099).$$

2.8.

$$(= 96,4 , \dagger = 5)$$

	-	t	(t)		, %
-74	-22,4	-4,48	-	0,0001	0,01
-78	-18,4	-3,68	0,9999	0,0019	0,19
-82	-14,4	-2,88	0,9980	0,0168	1,68
-86	-10,4	-2,08	0,9812	0,0815	8,15
-90	-6,4	-1,28	0,8997	0,2153	21,53
-94	-2,4	-0,48	0,6844	0,3099	30,99
-98	1,6	0,32	0,6255	0,2431	24,31
-102	5,6	1,12	0,8686	0,1040	10,40
-106	9,6	1,92	0,9726	0,0241	2,41
-110	13,6	2,72	0,9967	0,0031	0,31
-114	17,6	3,52	0,9998	0,0002	0,02
					100

III

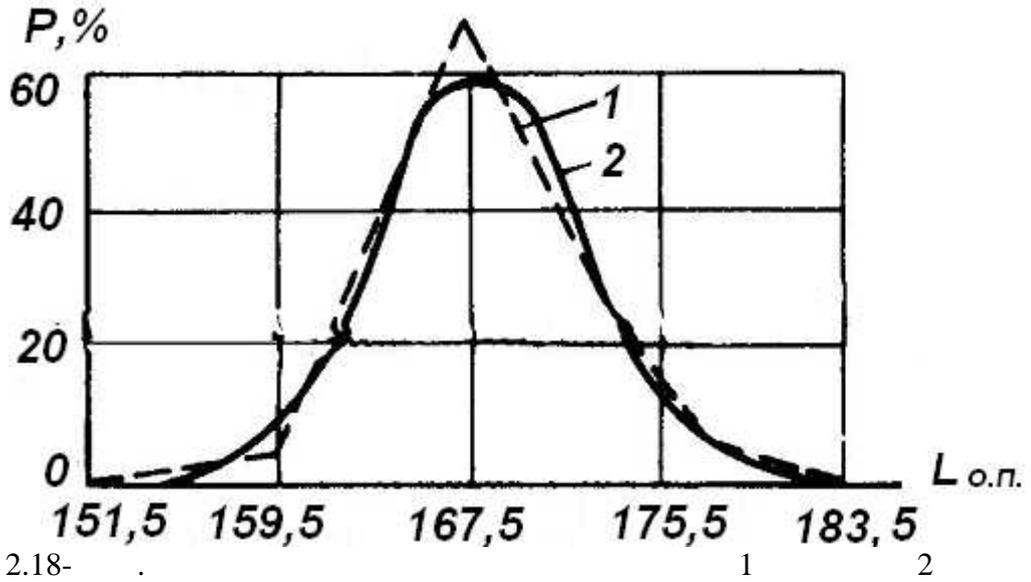
2.8-

1

2

(2.18-

).



()

(II)

2.19-

± 2 ; \pm ; $\pm 0,67$;
 99,73% (2.19, -) ; 50% ; 68,27% (2.19, -) ;
 95,45% (2.19, -) ; ± 3 ;

2

$$= 239,45,86,6 \quad 99,95$$

$$= 12$$

II

$$45\% \pm 0,6$$

$$\pm 0,6 = M \pm 0,6 * 12 = 239 \pm 7,2, \quad 231,8$$

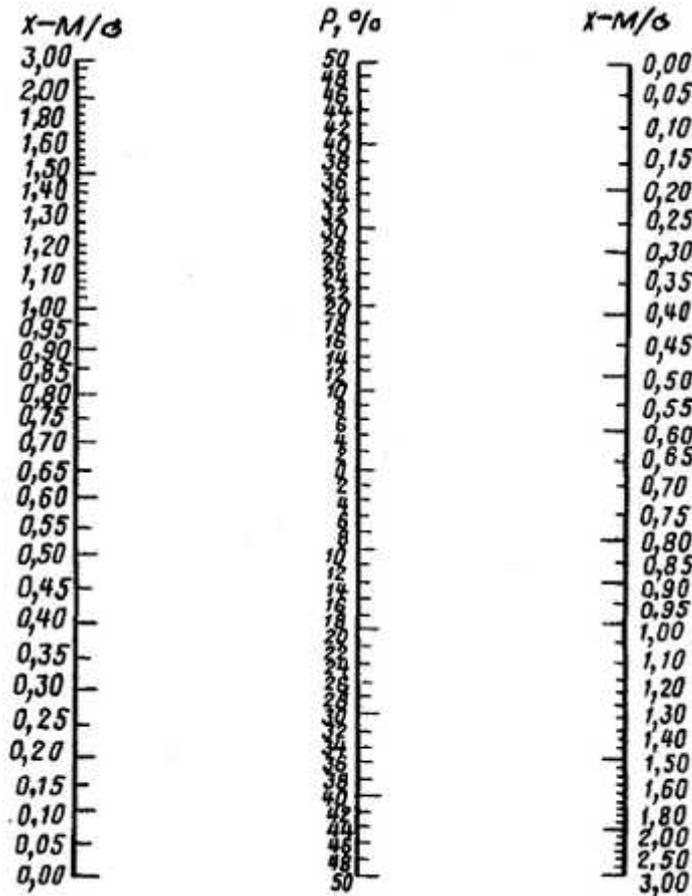
$$246,2; 86,6\% \pm 1,5$$

$$99,95\% - \pm 3,5$$

$$min 197 \quad max 281$$

$$, \quad 221 \quad 257 ;$$

(2.20-)



2.20-

2.2.5.

χ^2

1900

χ^2 ()

$$\chi^2 = t^2 = \sum \frac{(f_i - \bar{f}_i)^2}{\bar{f}_i}$$

f_i f_i

(χ^2)

(IV).

II

n

χ^2

R^2

.R

(

),

χ^2

$$df = R - 3$$

, 0,95 (95%)

, 0,05 (5%)

100 5
; 0,99

, 0,01
1000

(1%), 100

; 0,999

χ^2
0,99

, 0,01

100

χ^2

χ^2

(0,01),

(0,001)

(0,05),

$$\chi^2 < \chi^2_{0,01} \quad \chi^2 > \chi^2_{0,05}$$

2.9 2.10

5

χ^2

. R

R

(2.9)

2.9.

	f_i		f_t		$f_i - f_t$	$(f_i - f_t)^2$	$(f_i - f_t)^2 / f_t$
143,5 – 147,4	3	13	2	14	-1	1	0,07
147,5 – 151,4	10		12				
151,5 – 155,4	22		26		-4	16	0,62
155,5 – 159,4	44		38		6	36	0,95
159,5 – 163,4	28		30		-2	4	0,13
163,5 – 167,4	13	17	13	16	1	1	0,06
167,5 – 171,4	3		3				
171,5 – 175,4	1		-				
	$n = 124$		$n = 124$				$\chi^2 = 1,83$

$$df = R - 3 = 5 - 3 = 2$$

IV χ^2

$$P_{0,05} = 6; P_{0,01} = 9,2; P_{0,001} = 13,8.$$

2.9.

$$\chi^2 = 1,83$$

2.10.

	f_i		f_t		$f_i - f_t$	$(f_i - f_t)^2$	$(f_i - f_t)^2 / f_t$
74,5 – 78,4	1	2	1	8	-6	36	4,5
78,5 – 82,4	1		7				
82,5 – 86,4	36		54		-18	324	6
86,5 – 90,4	248		231		17	289	1,25
90,5 – 94,4	598		571		27	729	1,28
94,5 – 98,4	818		791		27	729	0,92
98,5 – 102,4	584		616		-32	1024	1,66
102,5 – 106,4	226		269		-43	1849	6,87
106,5 – 110,4	84		66		18	324	4,91
110,5 – 114,4	16	20	9	10	10	100	10
114,5 – 118,4	4		1				
	$n = 2616$		$n = 2616$				$\chi^2 = 37,39$

$$(2.10) \quad df = R - 3 = 9 - 3 = 6 \quad \chi^2$$

(IV) $P_{0,05} = 12,6; P_{0,01} = 16,8; P_{0,001} = 22,5 \quad \chi^2$

(2.10) 37,39

($P_{0,01} = 16,8$),

($P_{0,001} = 22,5$)

()

[9].

$$f(x) = \lg(x+x^0).$$

$$= \frac{\sum |f(x) - \bar{f}(x)|}{2 \sum f(x)}.$$

5 %

(excessus -)

(2.21-)

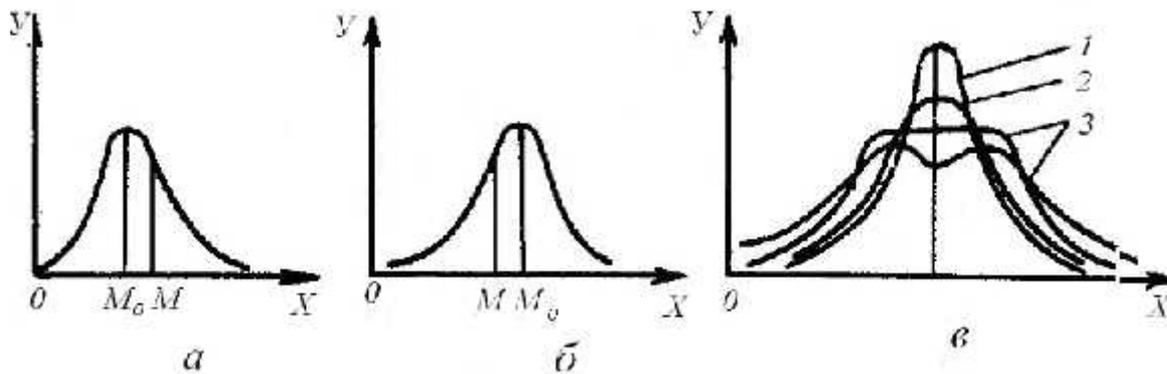
(2.21, -),
 (2.21, -).

(-)

(+)

(+)

(2.21, -).



2.21-

1, (2)
 2, 3,
 1, - 2).

$$x_1 = \tilde{x}_3 / \dagger^3,$$

$$x_2 = \tilde{x}_4 / \dagger^4.$$

$$\mu_4 / \dagger^4 \quad 3$$

$$(x_2 = \frac{\tilde{x}_4}{\dagger^4} - 3)$$

$$2 > 3$$

$$, \quad 1 = 0; \quad 2 = 3$$

$$, \quad 1 = 0 \quad 2 > 3$$

()

0,05

0,99

$$= [0,125x_1 + |0,058x_2|] * 100.$$

2.11.

2

1

		p_x	a_x	$P_x a_x$	$P_x a_x^2$	$P_x a_x^3$	$P_x a_x^4$
127,5 – 129,4	128,45	1	-9	-9	81	-729	6561
128,5 – 131,4	130,45	2	-8	-16	128	-1024	8192
131,5 – 133,4	132,45	4	-7	-28	196	-1372	9604
133,5 – 135,4	134,45	3	-6	-18	108	-648	3888
135,5 – 137,4	136,45	5	-5	-25	125	-625	3125
137,5 – 139,4	138,45	6	-4	-24	96	-384	1536
139,5 – 141,4	140,45	8	-3	-24	72	-216	648
141,5 – 143,4	142,45	8	-2	-16	32	-64	128
143,5 – 145,4	144,45	12	-1	-12	12	-12	12
145,5 – 147,4	146,45	16	0	0	0	0	0
147,5 – 149,4	148,45	11	1	11	11	11	11
149,5 – 151,4	150,45	11	2	22	44	88	176
151,5-153,4	152,45	6	3	18	54	162	486
153,5 – 155,4	154,45	3	4	12	48	192	768
155,5 – 157,4	156,45	3	5	15	75	375	1875
157,5 – 159,4	158,45	2	6	12	72	512	2592
159,5 – 161,4	160,45	2	7	14	98	686	4802
161,5 – 163,4	162,45	-	8	-	-	-	-
163,5 – 165,4	164,45	1	9	9	9	729	6561
		$\Sigma P_x = 104$		$\Sigma P_x a_x = -59$	$\Sigma P_x \times a_x^2 = 1333$	$\Sigma P_x \times a_x^3 = -2319$	$\Sigma P_x \times a_x^4 = 50956$

2, 3, 4, 1,

$$\begin{aligned} \epsilon_1 &= P_x a_x / n; & \epsilon_2 &= \sum P_x a_x^2 / n; \\ \epsilon_3 &= \sum P_x a_x^3 / n; & \epsilon_4 &= \sum P_x a_x^4 / n. \end{aligned}$$

$$\begin{aligned} \mu_2 &= \epsilon_2 - \epsilon_1^2, \\ \mu_3 &= \epsilon_3 - 3\epsilon_2\epsilon_1 + 2\epsilon_1^3, \\ -\mu_4 &= \epsilon_4 - 4\epsilon_3\epsilon_1 + 6\epsilon_2\epsilon_1^2 - 3\epsilon_1^4 \end{aligned}$$

$$x_1 = \frac{\tilde{\epsilon}_3}{\dagger^3} = \frac{\epsilon_3 - 3\epsilon_2\epsilon_1 + 2\epsilon_1^3}{\dagger^3},$$

$$x_2 = \frac{\tilde{\epsilon}_4}{\dagger^4} = \frac{\tilde{\epsilon}_4}{\tilde{\epsilon}_2^2} = \frac{\epsilon_4 - 4\epsilon_3\epsilon_1 + 6\epsilon_2\epsilon_1^2 - 3\epsilon_1^4}{(\epsilon_2 - \epsilon_1^2)^2}$$

2.11

2.11

$$x_1 = \frac{\tilde{\epsilon}_{3x}}{\dagger^3_{1x}} = \frac{\epsilon_{3x} - 3\epsilon_{2x}\epsilon_{1x} + 2\epsilon_{1x}^3}{\dagger^3_{1x}}, = -0.0192 \quad ;$$

$$\epsilon_{3x} = -2319 / 104 = -22,2981;$$

$$\epsilon_{2x} = 1333 / 104 = 12,8173;$$

$$\epsilon_{1x} = -59 / 104 = -0,5673;$$

$$\dagger_1 = \sqrt{\tilde{\epsilon}_2} = \sqrt{\epsilon_2 - \epsilon_1^2} = \sqrt{12,8173 - (-0,5673)^2} = \sqrt{12,4955} = 3,535.$$

$$x_2 = \frac{\tilde{\epsilon}_4}{\tilde{\epsilon}_2^2} = \frac{\epsilon_4 - 4\epsilon_3\epsilon_1 + 6\epsilon_2\epsilon_1^2 - 3\epsilon_1^4}{\tilde{\epsilon}_2^2} = -0,0290,$$

$$\epsilon_{4x} = 490,0481 \quad \mu_{2x}^2 = \epsilon_{1x}^4 = 156,1375$$

$$= [/ 0,1258 * 0,0192 / + / 0,058 * 0,0290 /] * 100 = 41\%$$

(V) .

2.2.6.

$m(M)$

$m(M)$

$$m(M) = \frac{t}{\sqrt{n}}$$

n

$$M \pm m(M)$$

, 1000

$$= 168,2$$

$$t = 6$$

$$m(M) = \frac{6}{\sqrt{1000}} = \frac{6}{31,62} = 0,19$$

$$168,2 \pm 0,19$$

t

$$t = \frac{M_1 - M}{m(M_1)}$$

: t
; $m(M_1)$

; $\frac{t}{\sqrt{n}}$

$$\begin{array}{l}
 \text{II} : t = 1 \quad 0.68 \quad M \pm m(M) \\
 t = 2 \quad 0.95 \quad \pm 2m(M) \\
 t = 3 \quad 0.997 \quad \pm 3m(M)
 \end{array}$$

$$t = \frac{M_1 - M_2}{\sqrt{\frac{\dagger^2_1}{n_1} + \frac{\dagger^2_2}{n_2}}}$$

$$\begin{array}{l}
 \text{I} - \sqrt{\frac{\dagger^2_1}{n_1} + \frac{\dagger^2_2}{n_2}} \\
 t = \frac{d}{m(d)}
 \end{array}$$

$$n \geq 30$$

$$df = n_1 + n_2 - 2$$

$$t \leq t_{0,05} \quad t > t_{0,01}$$

$$m(\dagger) = \frac{\dagger}{\sqrt{2n}} \pm 3m(\)$$

$$t = \frac{\dagger_1 - \dagger_2}{\sqrt{\frac{\dagger^2_1}{2n_1} + \frac{\dagger^2_2}{2n_2}}}$$

$$\sqrt{\frac{\dagger^2_1}{2n_1} + \frac{\dagger^2_2}{2n_2}}$$

$$\begin{array}{l}
 1. \\
 I = 171.53 \quad I = 5.85 \quad ; \quad 2 = 170.91 \quad 2 = 5.47 \\
 ; \quad 600
 \end{array}$$

$$d = M_1 - M_2 = 171,53 - 170,91 = 0,64$$

$$m(M) = \sqrt{\frac{t_1^2}{n_1} + \frac{t_2^2}{n_2}} = \sqrt{\frac{34,2225}{600} + \frac{29,9209}{600}} = 0,327$$

$$t = \frac{d}{m(d)} = \frac{0,64}{0,327} = 1,96$$

VI , 95%
 , 5%
 ,
 0,99 , $d > 3m(d)$,

2-

$$\begin{aligned} &: \mu_1 = 7,35 , \sigma_1 = 10 , n_1 = 100; \\ &M_2 = 93,6 , \sigma_2 = 9 , n_2 = 200. \end{aligned}$$

()

$$: d = M_1 - M_2 = 97,35 - 93,6 = 3,75 ; m(d) = \sqrt{\frac{100}{100} + \frac{81}{200}} = 1,185 ;$$

$$t = \frac{d}{m(d)} = \frac{3,75}{1,185} = 3,16$$

VI , 0,999 $d > 3m(d)$

$$m(d) = \sqrt{\frac{100}{600} + \frac{81}{600}} = 0,549 ; t = \frac{3,75}{0,549} = 6,83 ; d = 3,75 ;$$

2.2.7.

() -

(+),

(-)

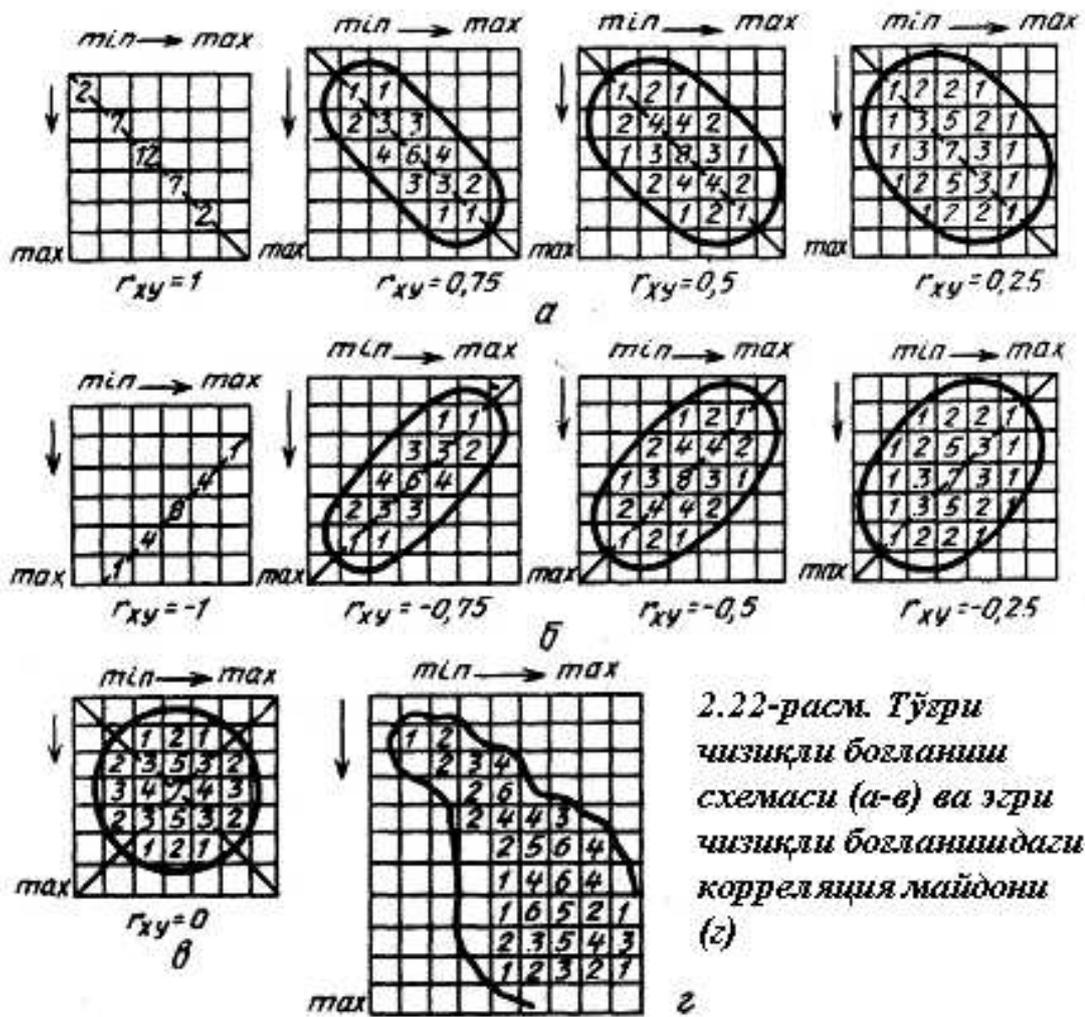
r

$$r = \frac{\sum_{i=1}^n (x_i - M_x)(y_i - M_y)}{n \sqrt{\sum_{i=1}^n (x_i - M_x)^2} \sqrt{\sum_{i=1}^n (y_i - M_y)^2}}$$

$$r = t_x t_y / n.$$

t ,

$$t_x = (x - M_x) / \dagger_x \quad t_y = (y - M_y) / \dagger_y.$$



2.22-расм. Тўзри чизикли боғланиш схемаси (а-в) ва эгри чизикли боғланишдаги корреляция майдони (г)

237 - 239

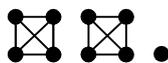
92 - 94

2 2

1 j

j-

21



5



d_x	d_x	Y									P_x	a_x	$P_x a_x$	$P_x a_x^2$	$P_x a_y$	$P_x a_y a_x$
		80-82	83-85	86-88	89-91	92-94	95-97	98-100	101-103	104-106						
		d_y														
		81	84	87	90	93 A_y	96	99	102	105						
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17
224 - 224	223	1	1	-	1	-	-	-	-	1	4	-5	-20	100	-4	20
225 - 227	226	-	-	-	1	3	1	-	-	-	5	-4	-20	80	0	0
228 - 230	229	-	-	1	4	1	-	-	-	-	6	-3	-18	54	-6	18
231 - 233	232	-	-	1	1	2	6	3	2	1	16	-2	-32	64	19	-38
234 - 236	235	-	-	1	-	5	7	2	1	-	16	-1	-16	16	12	-12
237 - 239	238 A_x	-	-	2	4	12	7	3	2	1	31	0	0	0	15	0
240 - 242	241	-	-	2	3	10	8	9	3	2	37	1	37	37	36	36
243 - 245	244	-	-	1	5	6	8	8	2	2	32	2	64	128	31	62
246 - 248	247	-	-	1	3	4	7	6	2	2	25	3	75	225	28	84
249 - 251	250	-	-	-	1	2	5	1	1	1	11	4	44	176	13	52
P_y	-	1	1	-	23	45	49	32	13	10	183	-	114	880	144	222
a_y	-	-4	-3	-2	-1	0	1	2	3	4	-					
$P_y a_y$	-	-4	-3	-18	-23	0	49	64	39	40	144					
$P_y a_x$		16	9	36	23	0	49	128	117	160	538					
$P_y a_y^2$	-	-5	-5	1	3	18	42	39	12	9	114					
$P_y a_x a_y$	-	20	15	-2	-3	-	42	78	36	36	222					

$$M_x \quad \dagger_x \quad M_y \quad \dagger_y \quad \epsilon_{xy} = P_y a_x a_y / n \quad 2.6$$

$$r_{xy} = \frac{\sum_{i=1}^n (x - M_x)(y - M_y)}{n \dagger_x \dagger_y}$$

(x y)
:

$$r_{xy} = \frac{\Sigma P_y O_x O_y}{n \dagger_x \dagger_y};$$

$$r_{xy} = \frac{v_{xy} - v_{ix} v_{iy}}{\dagger_x \dagger_y}$$

(2.12)

$$\begin{aligned} P_x &= P_y = 183. \\ A_x &= 238mm; d_x = 3mm; \\ \epsilon_{1x} &= P_x a_x / n = 114 / 183 = 0,62; \\ \epsilon_{2x} &= P_x a_x / n = 880 / 183 = 4,809; \\ M_x &= A_x + \epsilon_{1x} d_x = 238 + 0,62 * 3 = 239,86; \\ \dagger_x &= \sqrt{v_{2x} - v_{1x}^2} = \sqrt{4.809 - 0.3844} = 2.103. \\ \dagger_x &= \dagger_x^l d_x = 2,103 * 3 = 6,309mm. \\ A_y &= 93mm; d_y = 3mm; \\ \epsilon_{1y} &= P_y a_y / n = 144 / 183 = 0,786; \\ \epsilon_{2y} &= P_y a_y / n = 538 / 183 = 2,939; \\ M_y &= A_y + v_{1y} d_y = 93 + 0,786 * 3 = 95,358mm; \\ \dagger_y &= \sqrt{v_{2y} - v_{1y}^2} = \sqrt{2.939 - 0.618} = 1.523 \\ \dagger_y &= \dagger_y^l d_y = 1,523 * 3 = 4,570mm; \\ \epsilon_{xy} &= P_x a_y a_x / n = 222 / 183 = 1,213; \\ r_{xy} &= (\epsilon_{xy} + \epsilon_{1x} \epsilon_{1y}) / (\dagger_x^l \dagger_y^l) = (1,213 + 0,62 * 0,786) / (2,103 * 1,523) \\ &= 0,531. \end{aligned}$$

(σ)

$$m(r_{xy}) = \frac{1 - r_{xy}^2}{\sqrt{n}}$$

$$R_{x/y} = \frac{\dagger_x}{\dagger_y} \cdot r_{xy}$$

$$R_{y/x} = \frac{\dagger_y}{\dagger_x} \cdot r_{xy}$$

$$R_{y/x} = \frac{\dagger_y}{\dagger_x} \cdot r_{xy} = \frac{4.570}{6.309} \cdot 0.531 = 0.385$$

$$R_{x/y} = \frac{\dagger_x}{\dagger_y} \cdot r_{xy} = \frac{6.309}{4.570} \cdot 0.531 = 0.733$$

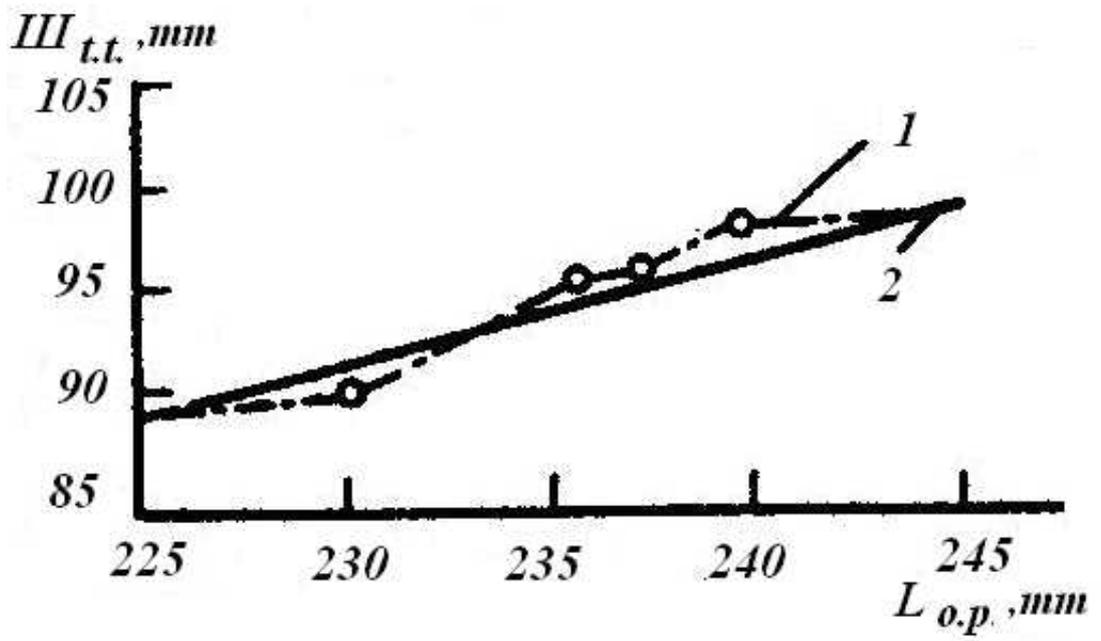
$$b = \frac{M_y - R_{x/y} M_x}{M_y - M_x}$$

$$b = \frac{95,358 - 0,733 \cdot 239,86}{4,570 - 239,86} = 0,385$$

$$a = M_y - M_x b = 95,358 - 239,86 \cdot 0,385 = 95,358 - 92,346 = 3,01 \text{ mm}$$

$$Y = 3,01 + 0,385 X$$

(2.23).



2.23-

(1)

(2)

2.2.8.

(2.24, -).

(2.24, -).

)

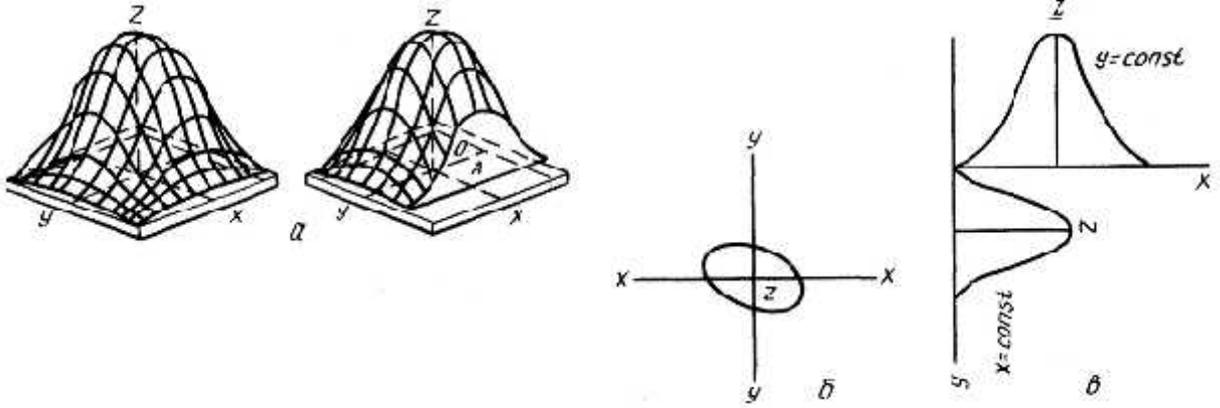
(

X

Y

$$Z = \frac{1}{2f \tau_x \tau_y \sqrt{1-r_{xy}^2}} \cdot e^{-\frac{1}{2}Q(xy)}$$

$$Q = \frac{1}{1-r_{xy}^2} \left[\frac{(x-M_x)^2}{\tau_x^2} + \frac{(y-M_y)^2}{\tau_y^2} - 2r_{xy} \frac{(x-M_x)(y-M_y)}{\tau_x \tau_y} \right]$$



2.24-

2.3.

2.15

2.16

10

, 2.17
(, τ)

2.15.

					8- 15				3 – 7			
		†		†		†		†		†		†
	1	2	3	4	5	6	7	8	9	10	11	12
	264	12	239	11	221	12	218	11	166	9	163	9
	212	9	160	10	174	10	172	10	134	8	132	8
	193	8	174	9	162	9	159	9	120	7	118	8
	161	8	145	8	136	8	134	8	99	7	98	7
	112	6	100	6	91	6	89	6	-	-	-	-
	71	5	60	5	57	5	54	5	-	-	43	5
	54	5	50	5	42	5	41	4	-	-	-	-
	100	5	89	4	82	5	79	5	-	-	62	5
	95	5	85	5	-	-	-	-	64	4	62	4
	72	4	65	4	59	4	57	4	-	-	-	-
	28	3	25	3	-	-	-	-	-	-	-	-
	24	3	20	3	-	-	-	-	-	-	-	-
	40	3	35	3	33	2	32	2	-	-	-	-
	67	5	59	5	57	4	55	4	-	-	-	-
	87	5	76	5	74	5	72	5	56	5	55	5
	57	5	55	5	-	-	-	-	-	-	-	-
	241	11	219	11	202	12	196	11	-	-	-	-
	247	12	227	11	207	12	200	11	-	-	-	-
	253	11	230	11	209	16	204	11	-	-	-	-
1	2	3	4	5	6	7	8	9	10	11	12	13
	340	16	310	14	285	13	278	14	-	-	-	-

	260	12	238	13	224	12	219	12	-	-	-	-
	218	13	216	13	189	-	-	-	-	-	-	-
	357	20	350	21	-	12	186	12	-	-	-	-
-	318	15	-	-	-	-	-	-	-	-	-	-
	153	14	-	-	-	-	-	-	-	-	-	-
-	328	20	-	-	-	-	-	-	-	-	-	-
-	417	28	-	-	-	-	-	-	-	-	-	-
- ,	9	5	12	5	-	-	-	-	-	-	-	-

2.16.

, .

	$M \pm m(M)$	†
	$173 \pm 0,27$	6,7
	$62 \pm 0,16$	2,4
	$77,5 \pm 0,19$	2,9
	$85,5 \pm 0,31$	3,1
	$77 \pm 0,27$	2,8
	$65,7 \pm 0,21$	3,5
	$78,4 \pm 0,15$	3,4
	$193,3 \pm 0,47$	6,5

2.17.

, .

		† $L_{...}$		†
	260,01	11,5	245,8	11,8
	269,9	11,9	246,4	11,5
	253,2	11,9	247,9	12,2
	268,9	12,5	256,2	12,4

()

(2.25, -)

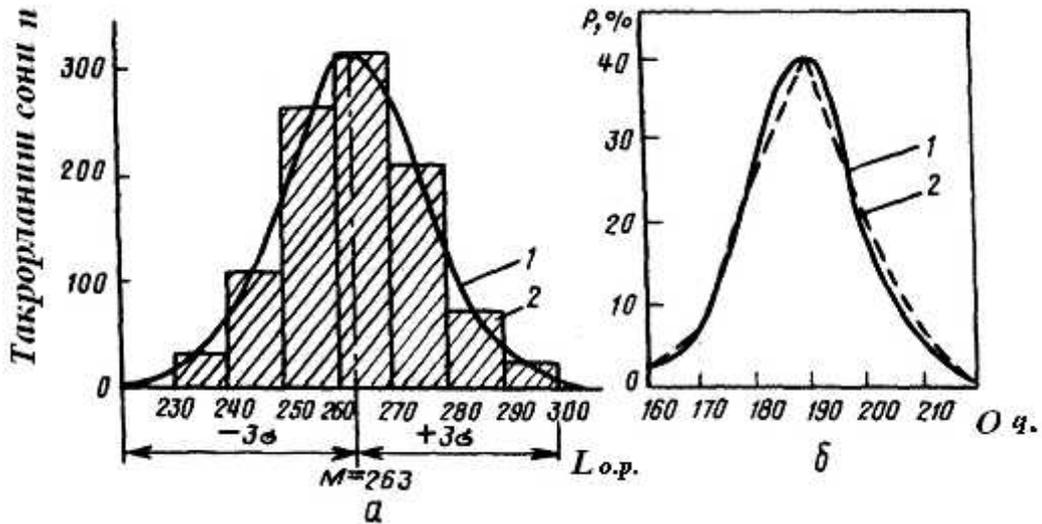
()

$$Y = \frac{1}{\sqrt{2f}} e^{-\frac{(x-M)^2}{2f}}$$

: Y - ; x - ; f -

2.25, -

[10].



2.25-

()

(1)

()

(2)

= +

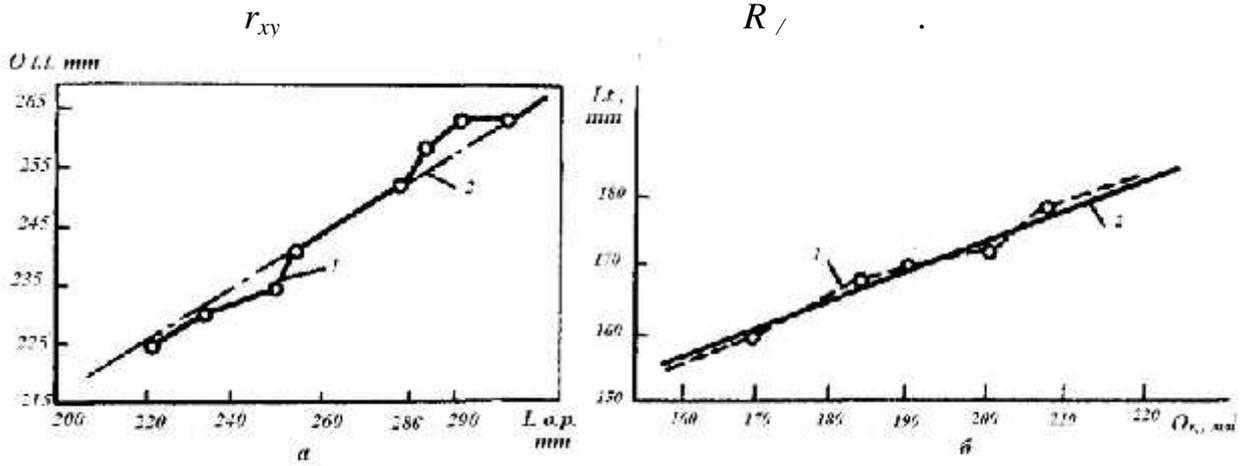
(2.25, -)

2.25, -

L_n

t.t.

$$t.t. = 0,6L_{o.n.} + 94mm.$$



2.26-

() (1) (2)

$$\frac{y - M_y}{x - M_x} = R_{y/x}$$

$$Y = R_y (x - M_x) + M_y, \quad Y = R_y x - R_y M_x + M_y$$

$$R_y = \text{const}, \quad M_x \quad M_y \quad (\text{const})$$

$$R_y = K; \quad | - R_y M_x + M_y | = b$$

$$Y = K x +$$

$$\begin{matrix} (t.t.) & (L.o.n.) \\ \vdots & \\ t.t. = 0,22 L_{o.n.} + 27 & ; \quad t.t. = 0,24 L_{o.n.} + 32 \\ t.t. = 0,28 L_{o.n.} + 15 & \end{matrix}$$

$$= 0,92 l + 142,2;$$

$$= 0,99 l + 116,9.$$

$$r > 0,6.$$

$$Y = K x + b$$

$$Y = K x - R_{yx}^* + y$$

:
 0,18
 0,20
 0,42
 0,55
 (u. .) 0,62
 (. .) 0,73
 0,80

0,955
 0,285
 0,350
 0,425
 0,380
 0,270

· ,

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,

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-

(. .)

:

u. .

0,95
0,73

:

2,58
3,45

-

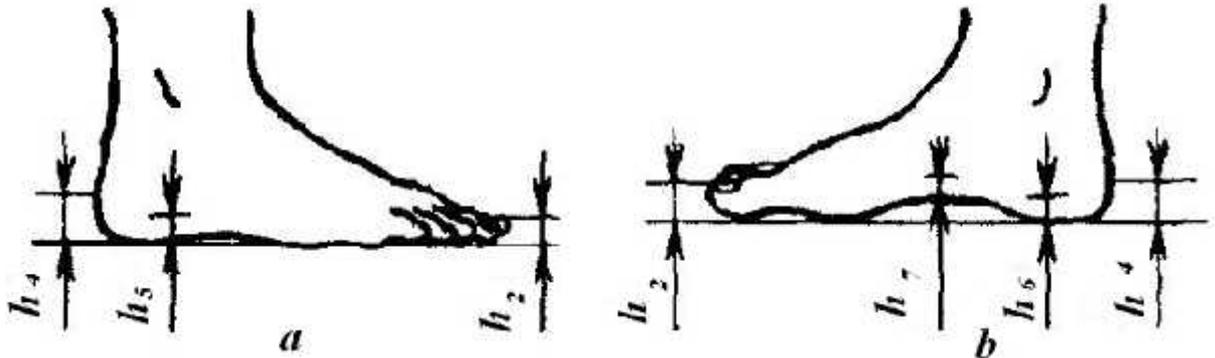
:

0,08
0,09
0,30
0,31
0,31
0,30
0,30.

2.4.

(2.28-)

— ($r_{xy} > 0,5$)



2.28-

() ()

()	h_1	0.13
()	h_5	0.15
()	h_6	0.15
	h_7	0.46

$$h = 0,1L_{o.n.}$$

h_4

$L_{o.n.}$

$$h_4 = 0,65 - 22;$$

$$h_4 = 0,17 L_{o.n.} + 6,6.$$

$L_{o.n.}$ P 15%

$(r_{xy} = 0,75 \dots 0,85).$

$$L_{o.n.} = 0,14 + 29;$$

$$L_{o.n.} = 0,14 + 22.$$

15,8 (15,5)

N 5

10-12

60%

200

41 %

$L = L - L$

[11] (2,18 -

2.18.

	$L_{..}$										
	-12,5	-10	-7,5	-5	-2,5	0	2,5	5	7,5	10	12,5
	0	5	20	61	134	210	133	55	17	5	0
	1	5	17	60	125	186	123	62	19	4	0

$(r_{xy}=0,6)$

$$L_{..} = + 86$$

$$= L_{o.n.}$$

3,5 ;
 3,5 -
 (r = 0,8).
 ()
 () , [12,13].
 3000
 (2.19)
 -
 2.19.

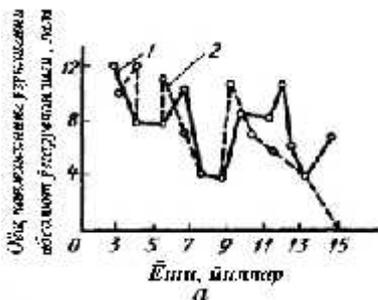
1	123,3	124,4	141,9	146,0
2	135,9	139,3	146,9	153,5
3	150,0	152,6	153,5	155,9
4	162,2	166,3	162,2	167,2
5	172,3	170,9	167,2	171,6
6	183,3	183,4	174,9	180,2
7	191,1	191,9	181,8	184,4
8	205,5	206,7	188,0	194,2
9	213,9	215,2	194,7	200,4
10	221,3	224,2	201,5	207,6
11	228,5	232,7	207,9	214,2
12	233,7	241,3	213,8	221,6
13	237,5	249,4	218,1	228,9
14	240,0	256,1	221,2	235,6
15	241,8	261,5	223,0	240,8
16	242,4	266,4	225,1	245,8
17	243,4	269,1	226,7	248,7

:
 ,
 . 3 11 ,
 , 11-12 ,
 17-19 ,

(2.29, -)

18

(2.29, , -). 1-4

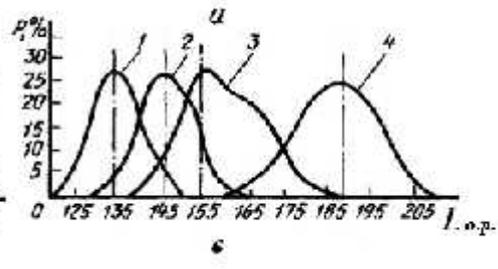


2.29-

(1)



(2)



()

()

()

[14].

; (25 44) : (18 24) 380
432 ; 583 ; (45 60)

$L_{o.n.}$,

0.68/0.72 $L_{o.n.}$

(2.20)

240

(2.21)

18 60

“ ” ()

“ ”

2.20.

		$M \pm m(M)$,	$\dagger \pm m(M)$,	$V \pm m(V)$,%		$L_{\dots} = 240$
18-24	L_{\dots}	$243,70 \pm 0,53$	$10,33 \pm 0,38$	$4,24 \pm 0,15$	-	240
		$61,31 \pm 0,20$	$3,87 \pm 0,14$	$6,32 \pm 0,22$	$y = 0,15x + 24,27$	60,27
	\dots	$88,62 \pm 0,24$	$4,69 \pm 0,17$	$5,26 \pm 0,19$	$y = 0,23x + 32,07$	87,27
	\dots	$226,36 \pm 0,54$	$10,50 \pm 0,38$	$4,64 \pm 0,17$	$y = 0,53x + 96,95$	224,15
25-44	L_{\dots}	$241,30 \pm 0,45$	$10,84 \pm 0,32$	$4,49 \pm 0,13$		240
		$63,35 \pm 0,19$	$4,59 \pm 0,18$	$7,25 \pm 0,21$	$y = 0,20x + 15,33$	63,33
	\dots	$89,31 \pm 0,91$	$4,08 \pm 0,15$	$5,57 \pm 0,16$	$y = 0,25x + 29,71$	89,71
	\dots	$227,18 \pm 0,48$	$11,61 \pm 0,34$	$5,11 \pm 0,15$	$y = 0,61x + 80,71$	227,11
45-60	L_{\dots}	$239,54 \pm 0,51$	$10,68 \pm 0,36$	$4,46 \pm 0,15$	-	240
		$64,82 \pm 0,23$	$4,78 \pm 0,16$	$7,38 \pm 0,25$	$y = 0,20x + 16,91$	64,91
	\dots	$89,89 \pm 0,25$	$5,25 \pm 0,18$	$5,84 \pm 0,20$	$y = 0,27x + 25,69$	90,49
	\dots	$228,77 \pm 0,56$	$11,61 \pm 0,40$	$5,08 \pm 0,17$	$y = 0,64x + 76,42$	230,02

2.21.

 S_{\dots} , t

	S_{1-2}	t_{1-2}	S_{2-3}	t_{2-3}	S_{1-3}	t_{1-3}
L_{\dots}	2,40	3,46	1,76	3,59	4,16	5,48
	3,06	3,52	1,58	1,68	4,64	4,83
\dots	2,44	2,42	0,78	0,75	3,22	2,95
\dots	2,96	4,11	2,91	3,93	5,87	7,52

1,5-4,5
302
- 5,9
2.5.

- ()
- ()
- ()
- ()
- ()

2.22

()

$r_{Lo.n/L} = 0,59; r_{Lo.n/L} = 0,8; r_{Lo.n/L} = 0,93$) $r_{Lo.n/L} = 0,71; r_{Lo.n/L} =$

() () () ()

2.5.2.

() () () ()

() S

“ ” } = S/2 “ ”

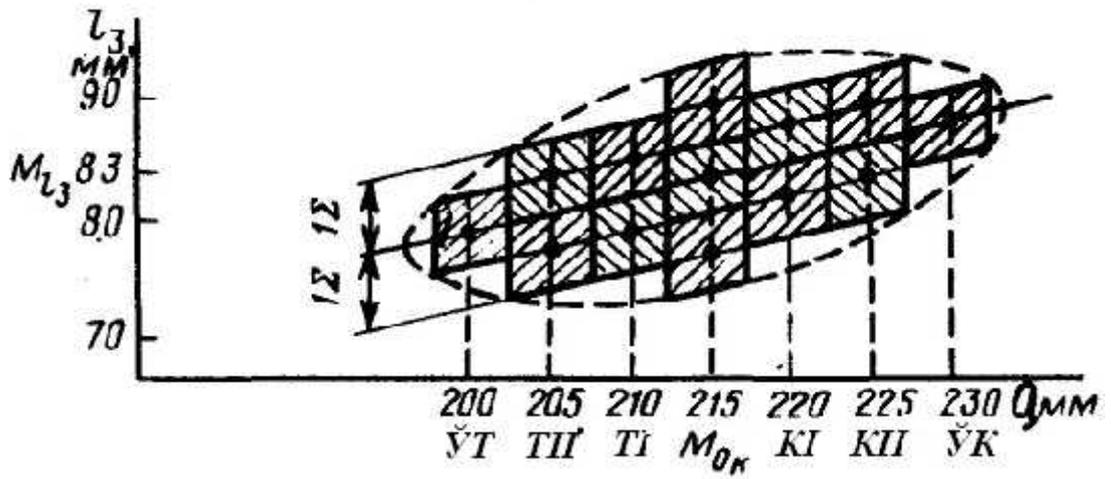
()

	$\pm x\ddagger$,	$P, \%$, %
1	0,21	16,6	16,6
2	0,42	32,5	15,9
3	0,63	47,1	14,6
4	0,84	59,9	12,8
5	1,05	70,6	10,7
6	1,26	79,2	8,6
7	1,47	85,8	6,6
8	1,68	90,7	4,9
9	1,89	94,1	3,4
10	2,10	96,4	2,3
11	2,31	97,9	1,5
12	2,52	98,8	1,1
13	2,73	99,4	0,6
14	2,94	99,6	0,2
15	3,15	99,8	0,2
16	3,36	99,9	0,1

5 , 95,4%
 $\pm 2\ddagger$

$\ddagger = 9$ (95,4%)
 $= (4\sigma - 5) / S = (36 - 5) / 5 = 6,2$

(2.30-).
 : (); II (II); I (T I); I (K I);
 II (K II); ()



2.30-

(. . = 0,6L_{o.n.}+ 94),

L_{o.n.} 10

6

5

3

() ,

210 260 290

1/4

20

3 - 5

2 - 4

88

8

3927-

()

- 6

()

8

6

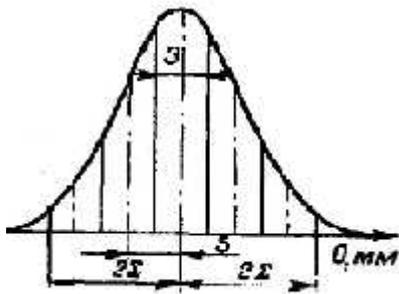
		$\pm \sigma$	\pm
		11.0	9,3
		10.5	8,7
8	15	12.6	8.9
		10.4	7.4
3	7	8.4	6.2
		7.9	6.2

± 3

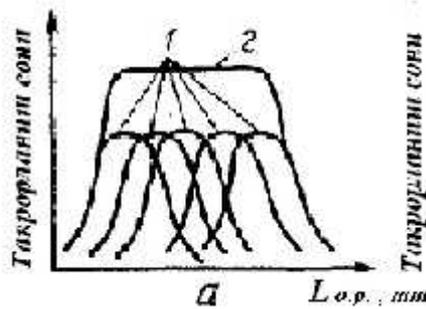
± 2

± 2

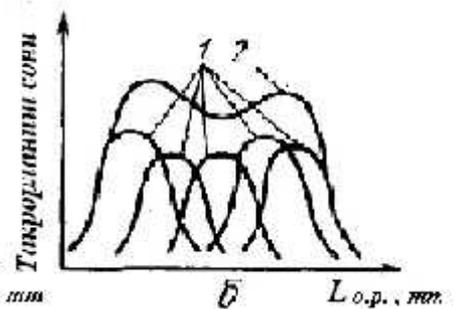
(3.31-).



2.31-



2.32-



()

()

(2.32-).

- 0,42

1 .

0,44

(. . .)

(. . .)

(. . .)

(. . .)

, %.

7,0
46,4
2,6
1,8

0,7
12,2
4,6
1,4

70

0,98

(. . .)

(. . .)

5-10

83 ,

- 63

41 ,

; - 36

(- -)

1100

V

; 9-12

XI-XII

5

III

2,6

1,3)

3

- 1,5

“ ” :

; ;

1.

()

2

:

3

(3.1, -).

1

“ ”

2.

- (3.1, -).

1

-

2

3

3.

1

2

3

(3.1, - 3-4)

4.

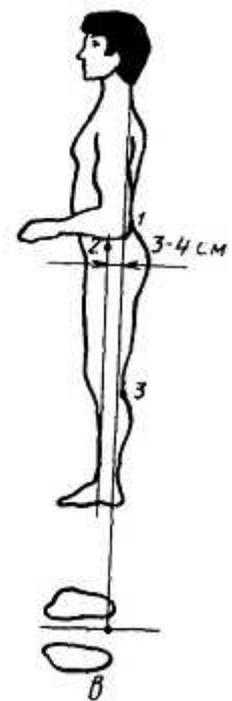
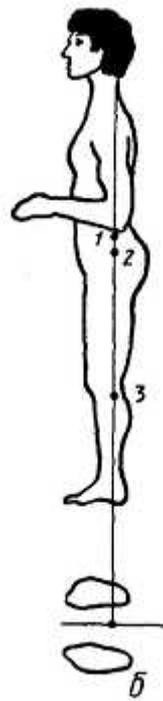
,,

-

2

3

()



3.1-

0,03... 10mm.
500

(3.2, -)

$l = 3...75mm$

$d = \frac{3}{1}$

()

()
2-

3

5

4

2-

$l = 10 \div 50mm,$

$d_i = 0,1 \dots 0,14mm$

(3.2, -).
 $d_t = 0,7 \dots 1,5mm,$

0,35 - 0,8

7

9

1,5 ÷ 20
8

15

13

14

12 3.2, -

1,25±0,5

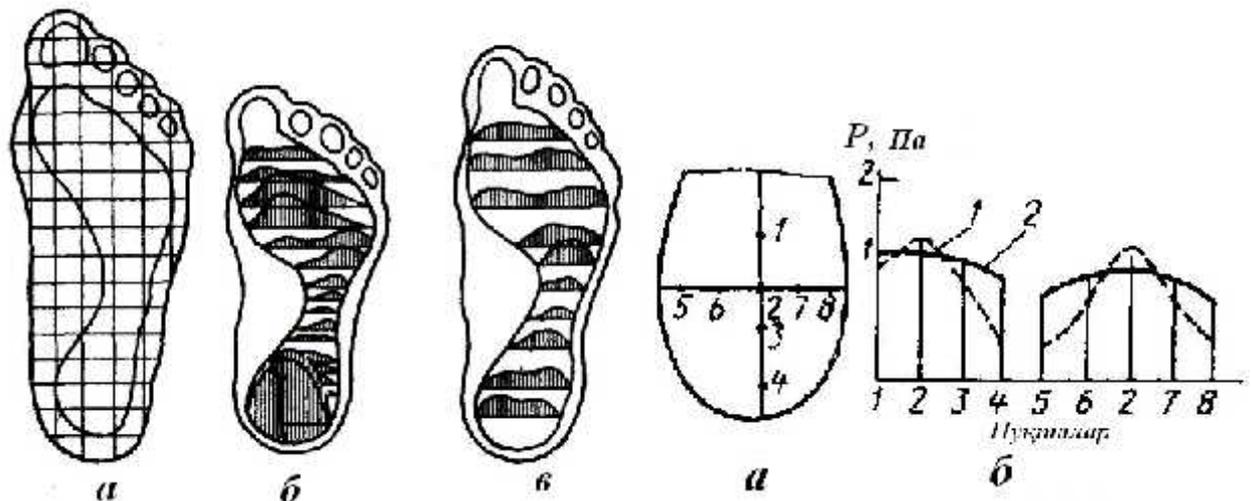
12 14

(3.3, -)

3.3, -

(42-48%)

13%)



3.3-

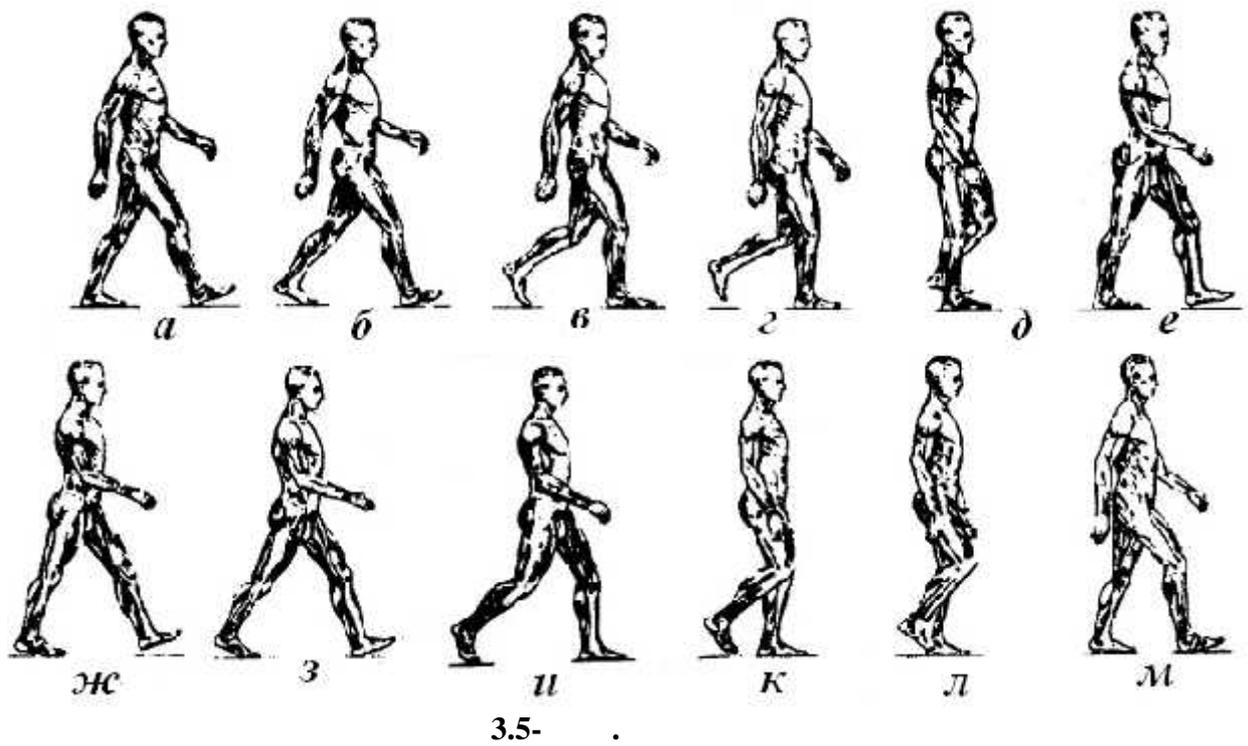
3.4-

()

()

(3.3, -

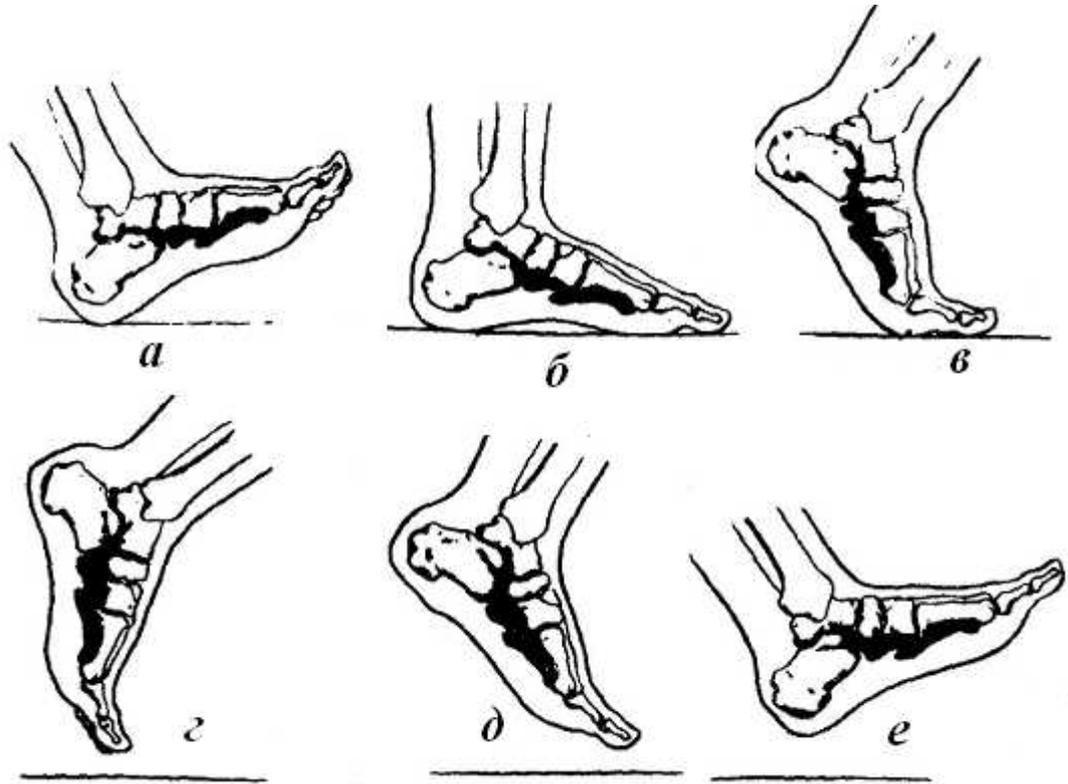
()



(3.5. 3.6.-).

().

(3.5, - 3.6, -).



3.6-

3.6, -).

(3.5,

(3.5, - 3.6. -

).

3.6, -).

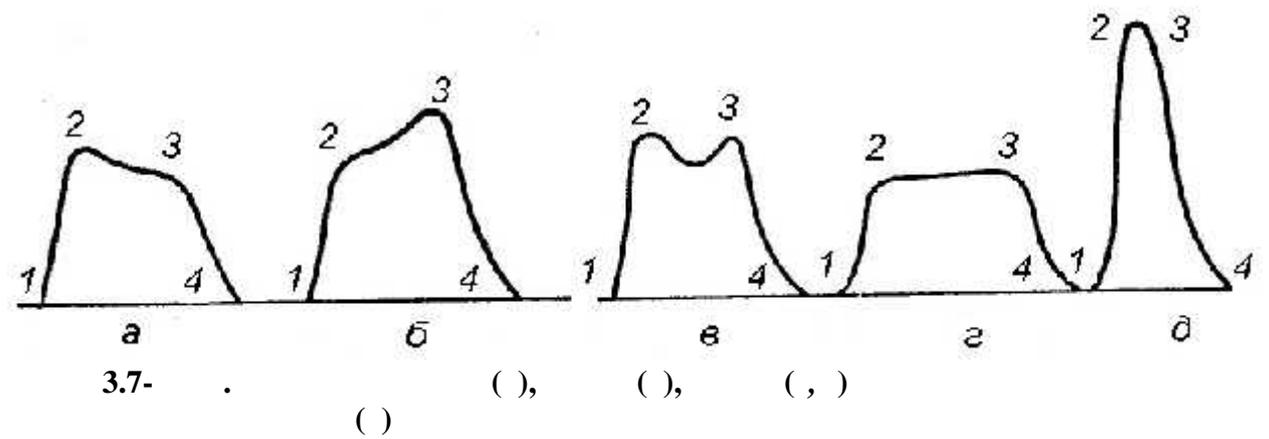
(3,5,

3.6, -).

(3.5,

3.6, -).

(3.5,



$$q = \frac{Q}{P} \cdot H; P -$$

$$q = 1,5,$$

$$q = 1,8,$$

$$q = 1, q = 3$$

$$q = 1,23,$$

(3.1.).

$$55 \pm 3$$

3.1.

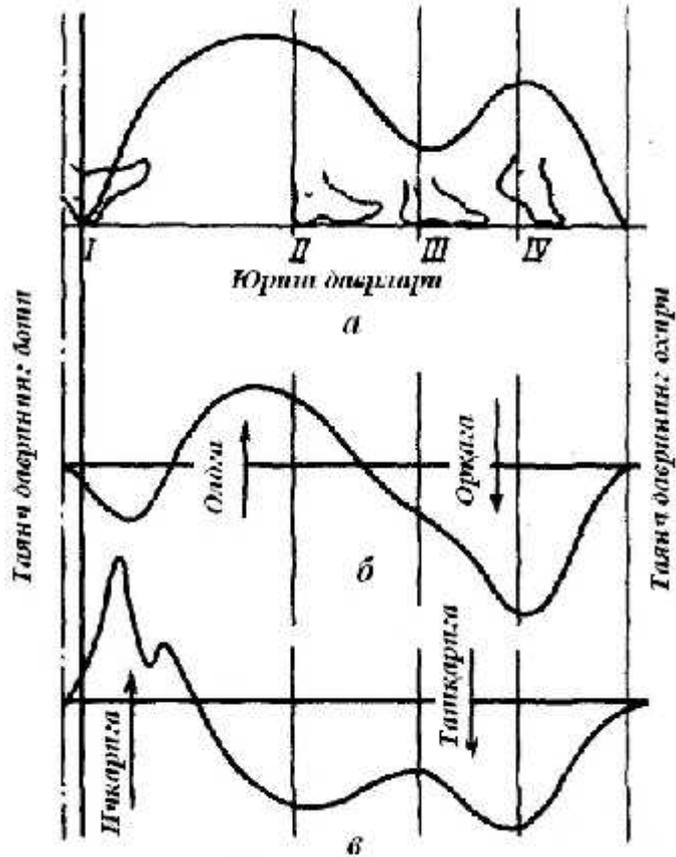
				-	
0		134 ± 5	36 ± 3	105 ± 4	-
		534 ± 48	73 ± 9	373 ± 36	373 ± 32
20		126 ± 11	38 ± 5	111 ± 8	-
		525 ± 58	84 ± 1	347 ± 54	417 ± 36
40		118 ± 7	35 ± 5	122 ± 6	-
		447 ± 34	62 ± 12	248 ± 41	450 ± 54
60		117 ± 12	26 ± 4	132 ± 9	-
		459 ± 48	54 ± 8	143 ± 22	529 ± 46

(3.8-).

(3.8, -), . . .

(3.8, -)

(3.8, -)



3.8-

(I-IV)

(),

()

()

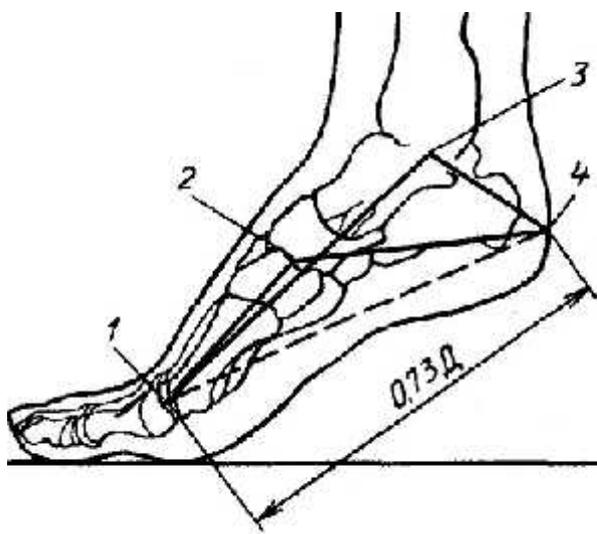
3.2.1.

(3.9-).

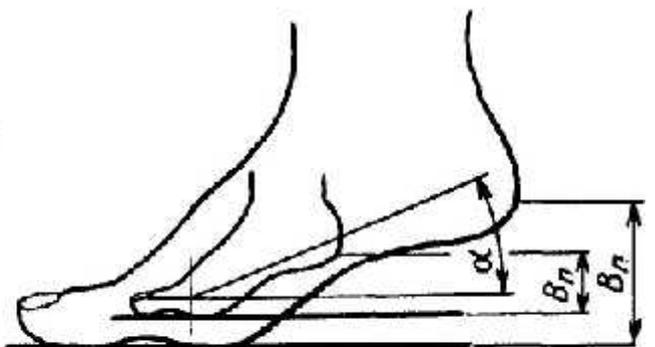
3

1

- (2) ,
 1 ,
 , 4 ,
 () , ,
 4
 $0,73L_{o.n.}, 0,8L_{o.n.}$ - $0,09L_{o.n.}$
 $0,09 L_{o.n.}$ 1-4
 ()
 (20, 30, 40, 50)



3.9-



3.10-

()

(3.10-) .

}

$$B = 0,7L_{o.n.} \cdot \sin \gamma$$

3.3.

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(3.11, -):

$$\begin{aligned}
 G_0 - & \\
 & ; \\
 - & \\
 ; & \\
 N - & \\
 & ; \\
 F - & ; \\
 S - & ; \\
 - & ; \\
 & ; \\
 R - F, S, G_0 & \\
 R - F, N (R = R) &
 \end{aligned}$$

$$F = Nf, \quad f -$$

N

:

$$N = \frac{G_0}{2(\cos \theta + f \sin \theta)}, \quad P = \frac{G_0(\sin \theta - f \cos \theta)}{2(\cos \theta - f \sin \theta)},$$

$\theta -$

“ ” —

,

(3.11, -

).

,

0

S

S

$$S = /$$

S (3.11, - S),
 “ ” S . N

$$N = \frac{G_0 + S}{2(\cos \theta + f \sin \theta)}, \quad P = \frac{(G_0 + S)(\sin \theta - f \cos \theta)}{2(\cos \theta - f \sin \theta)},$$

N ,
 “ ”
 d
 (3.11, -)

$$T = P \frac{d}{i},$$

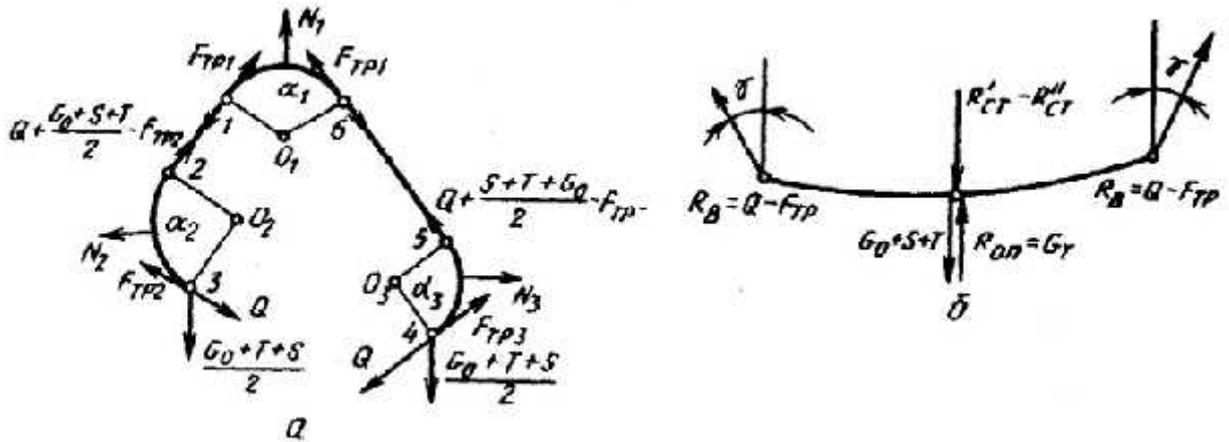
N_e

$$N = \frac{G_0 + T}{2(\cos \theta - f \sin \theta)},$$

$$\frac{(G_0 + T)(\sin \theta + f \cos \theta)}{2(\cos \theta - f \sin \theta)}$$

(3.12, -):

$N_i -$ i ($i =$
 $1, 2, 3);$
 $Q_i - i-$



3.12-

()

()

i

$$N_i = \frac{2Q_i \frac{\sin \gamma_i}{2} + G_0 \sin \alpha_i}{1 + f \sin \frac{\gamma_i}{2}} D_i,$$

$i-$ $\}$
 $; \alpha_i - G_0 \quad N$ $; D_1 - D_2 = D_3 = 1$

$$D_1 = 1 - \frac{\sin \gamma_2}{2} (f^{-1} + \sin \frac{\gamma_2}{2}) - \sin \frac{\gamma_3}{2} (f^{-1} + \sin \frac{\gamma_3}{2}).$$

“ ”

$$N_i = \frac{2Q_i \sin \frac{\gamma_i}{2} + (G + S) \cos \alpha_i}{1 + f \sin \frac{\gamma_i}{2}} D_i$$

$G_0 \quad S$

$$N_i = \frac{2Q_i \sin \frac{r_i}{2}}{1 + f \sin \frac{r_i}{2}} D_i$$

“ ” 0,73 $L_{o.n.}$ 0,8 $L_{o.n.}$

$$N_i = \frac{2Q_i \sin r_i / 2 + (G+T) \cos \alpha}{1 + f \sin r_i / 2} D_i.$$

(3.12, -).

$$\begin{aligned} & : R_b - & & ; - & R_b \\ & & & ; R_{CT}'' - & ; \\ & : R_{on} - & & 2R_b \cos \alpha + R_{on} = R_{CT}' + R_{CT}'' , & \\ & & & ; R_{CT}' - & \\ & G_T & & 2R_b \cos \alpha = G_0 + T + R_{CT}'' . & \end{aligned}$$

R_{CT}''

R_{CT}' -

$$R_{on}, G_0, S, T$$

R_{CT}'

R_{CT}''

$$R_{o.n.} + 2(Q - F_{TP}) \cos \alpha - G - S - T = R_{CT}' + R_{CT}''$$

$$: \\ R_{on} = S = T = R_{CT}' = O;$$

$$R_{on} = T = R_{CT}' = O;$$

$$G = S = T = O;$$

$$R_{on} = S = R'_{CT} = O.$$

$$R'_{CT} \setminus R''_{CT}.$$

$$q = N / \quad (3.1)$$

$$\frac{Q, F, S, T}{N}$$

$$= R r b,$$

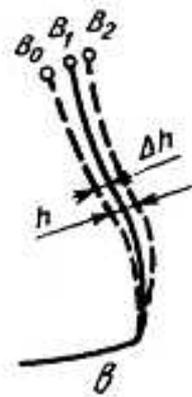
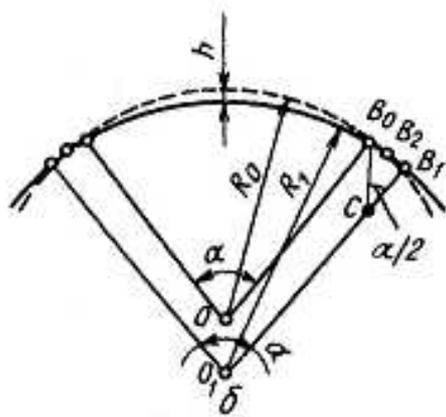
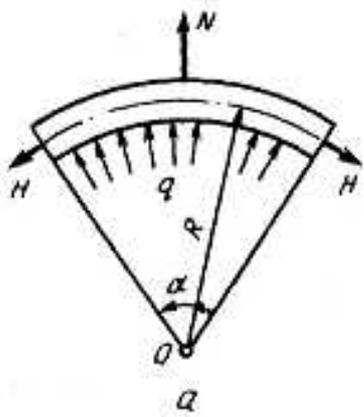
: R -
; b -

(3.1)

$$Q = N / R r b \quad (3.2)$$

(3.2)

$$(R = \infty)$$



3.13-

(),

()

()

(3.12, -) .

o 1

(;

)

$$B_0B_1 = (R_1 - R_0) \operatorname{tg} \frac{\alpha}{2};$$

$$R_1 = R_0 + OO_1 - h,$$

: R_1, R_0 -

; h

$$OO_1 = B_0B_1 / \sin \frac{\alpha}{2};$$

$$B_0B_1 = (R_0 + B_0B_1 / \sin \frac{\alpha}{2} - h - R_0) \operatorname{tg} \frac{\alpha}{2},$$

$$B_0B_1 = h \sin \frac{\alpha}{2} / (1 - \cos \frac{\alpha}{2})$$

$$R_1 = R_0 + B_0B_1 / \sin \frac{\alpha}{2} + h;$$

$$R_1 = R_0 + h \sin \frac{\Gamma}{2} / \left[(1 - \cos \frac{\Gamma}{2}) \sin \frac{\Gamma}{2} \right] - h,$$

$$R_1 = R_0 + h \frac{\cos \frac{\Gamma}{2}}{1 - \cos \frac{\Gamma}{2}} \quad (3.3)$$

B_0 , B_1

B_0

B_2 . h - Δh . ,

. Δh .

$$E = AQ^n ,$$

$$Q = P \cdot 10^{-2} (- 100) .$$

$$\frac{B_1 B_2}{R_0 \Gamma} \cdot 100 \approx A \left(\frac{H}{100} \right), \quad B_1 B_2 = R_0 \Gamma A (H \cdot 10^{-2})^n / 100.$$

$$h = B_0 B_1 (1 - \cos \frac{\Gamma}{2}) \sin \frac{\Gamma}{2}, \quad (3.4)$$

$$\Delta h = B_1 B_2 (1 - \cos \frac{\Gamma}{2}) / \sin \frac{\Gamma}{2}, \quad \Delta h = R_0 \Gamma A (H \cdot 10^{-2})^n (1 - \cos \frac{\Gamma}{2}) / (100 \sin \frac{\Gamma}{2}).$$

(3.3)

$$R_1 = R_0 + h \frac{\cos \Gamma / 2}{1 - \cos \Gamma / 2} - \frac{R_0 \Gamma A (H \cdot 10^{-2})^n (1 - \cos \Gamma / 2)}{100 \sin \Gamma / 2}, \quad (3.5)$$

$R_1 -$

(3.2) R (3.5) h

(3.4) , $B_0 B_1$ R_0 ,

$$q = \frac{N}{R_0 \Gamma b \left[1 + BH^m \frac{\cos \Gamma / 2}{100(1 - \cos \Gamma / 2)} - A(H \cdot 10^{-2})^n \frac{1 - \cos \Gamma / 2}{100 \sin \Gamma / 2} \right]} \quad (3.6).$$

3.4.

26

40°

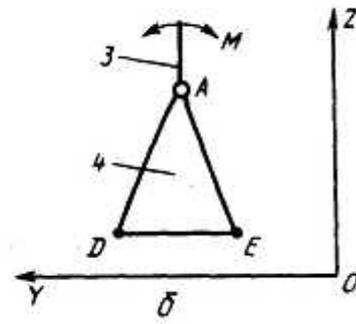
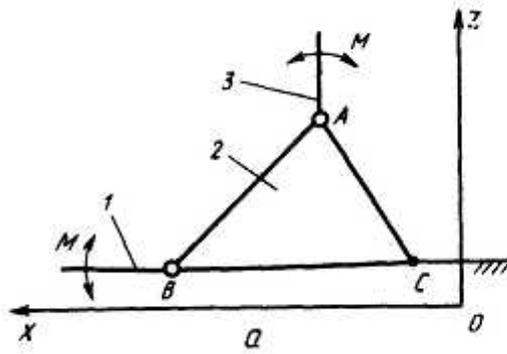
3

$45^\circ-50^\circ$

$15^\circ-25^\circ$

$9,4^\circ$

$-10^\circ-15^\circ$



3.14-

(3.14, -).

2,
3

[16].

(ADE)
(3.14, -).

X, Y, Z
-
4

3

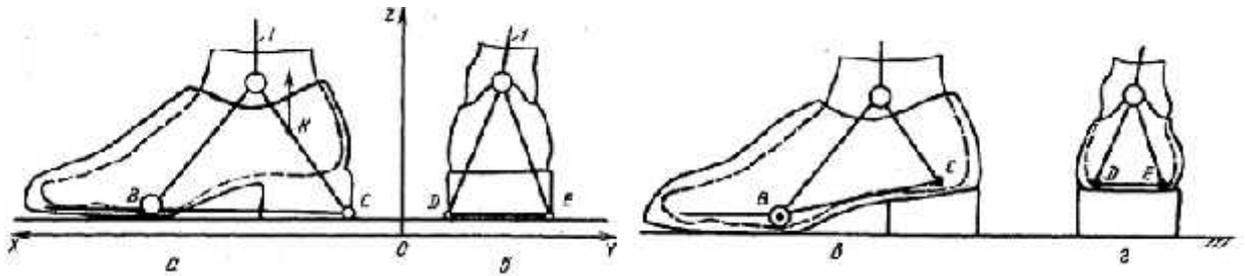
$D E$

(3.15-).

), (), ()
,)

« - »

1



3.15-

(,)

(),

« »

[18],

« » , « - »

[19], (4,6 / , 5,9 /)
 (-)

3 (3.16-), 1
 2 ,

« - »

(3.14, -).

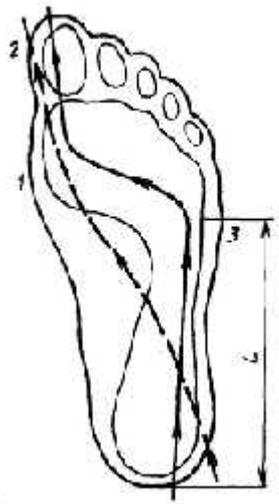
F

$$; \quad M_1 = PL_1 \quad M_2 = FL_2 \quad (3.17, \dots)$$

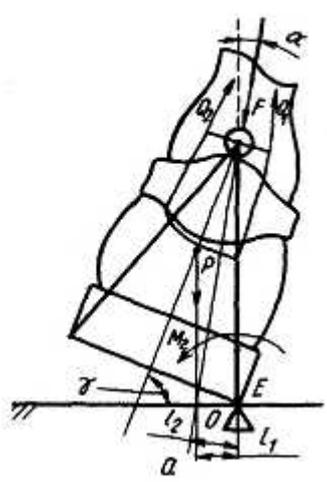
$Q_1 \quad Q_2$

(3.17, -)

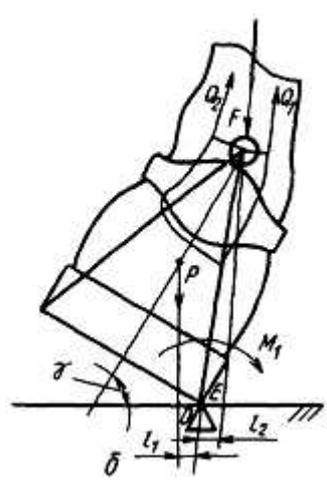
(3.17, -)



3.16-



3.17-



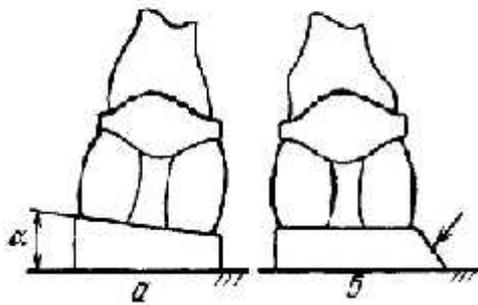
(3.17, -)

(3.18, -)

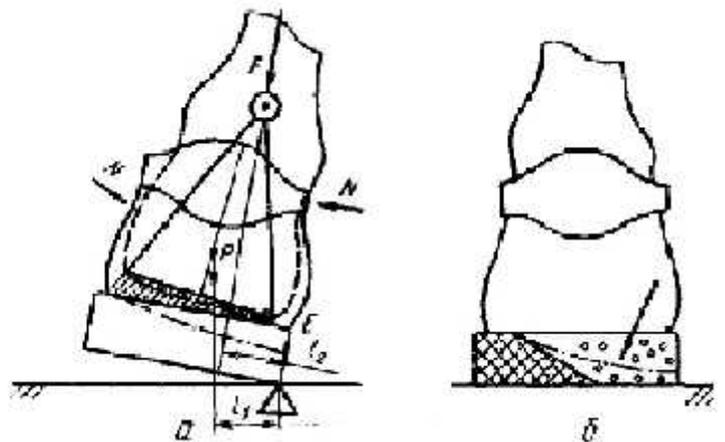
F

3.17, -

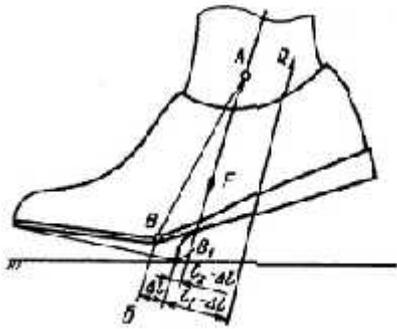
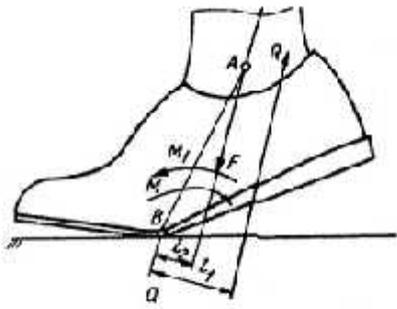
$$M_1 = Ql_1 = Fl_2$$



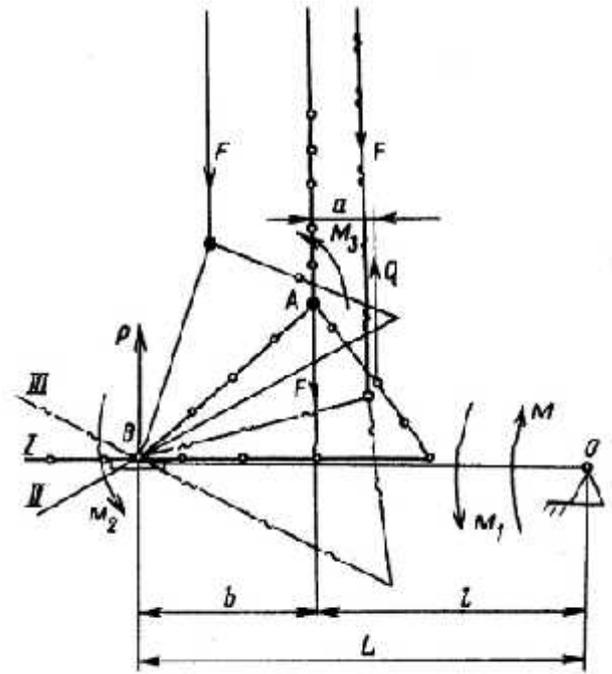
3.18-



3.19-



3.20-



3.21-

$$Q = F \frac{l_2}{l_1}$$

$$Fl_2 = Ql_1;$$

$$\frac{l_2}{l_1} \quad ($$

, F , Q

$$l_2)$$

l

$$(l_1),$$

l

$$l_2$$

(F)

. 3.21-

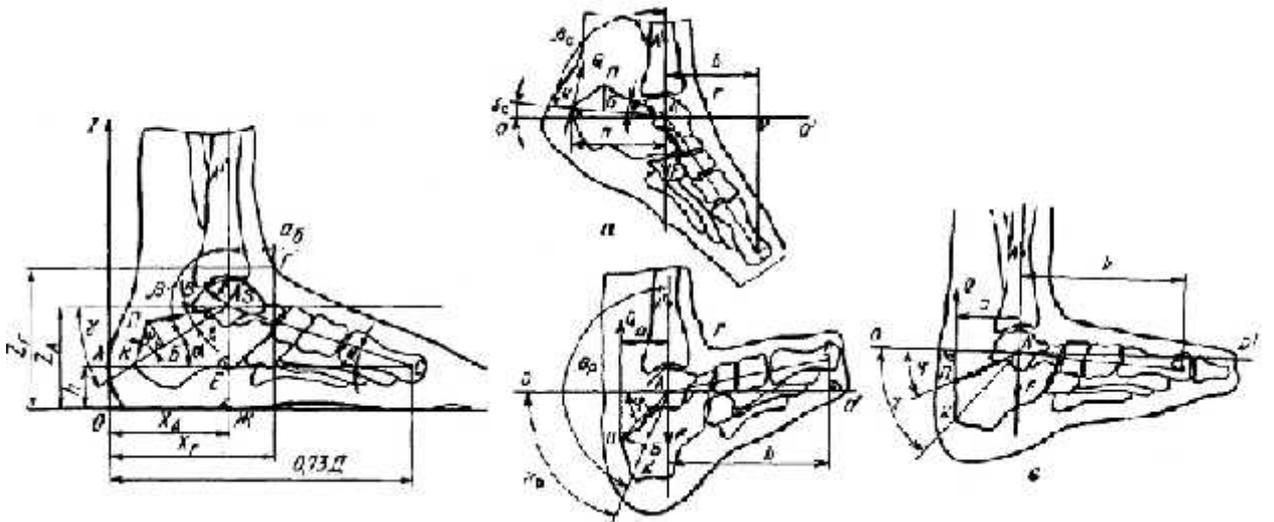
I-III

()

: (I),

(II-) F (III)
 F I : $I =$
 Fl ()
 $(= L);$ $2 Fb,$
 Q , l, L - , F ()
 Q ,
 Q
 $($ 2
 $)$ L
 $(II-)$.

40



3.22-

3.23-

(),

()

()

) , - , (3.22-)

Z

$(\dagger = \pm 0,006 L . ; m = \pm 0,003 L . ; v = 6,4 \%)$

$h = 0,09L .$

$0,09 L .$

40°

90°

25°

130°

(50°)

$= 80^{\circ} (3.23, -) ; = 155^{\circ} (3.23, -) .$

90°

$(3.3.) = 0,26 L . .$

$3.3.$

(3.27)	,	†		V,%
R	0.085	0.004	0.002	4.7
X _A	0.26	0.009	0.005	3.5
Z _A	0.26	0.025	0.014	9.8
AK	0.26	0.013	0.007	5
,	40	4.98	2.76	12.5
	0.08	0.008	0.005	10
	0.19	0.01	0.006	5.3
X	0.39	0.028	0.016	7.2
Z	0.36	0.03	0.017	8.3
:	:	=0,2 , =23 ⁰	=0,5 , μ=20 ⁰	=49 ⁰

$$Q = Q \cdot A = Q \cdot 0,26 L . \quad (3.10)$$

$$I_1 = A \cdot \cos 90^\circ = 0,26 L \cdot \cos 90^\circ \quad (3.11)$$

$$I_2 = Q \cdot 0,26 L \cdot \cos 90^\circ = 0 \quad (3.12)$$

$$\alpha = 155^\circ - 90^\circ = 65^\circ \quad (3.28)$$

$$\beta = 80^\circ - 90^\circ = -10^\circ \quad (3.11)$$

$$(3.11) \quad (3.25) \quad Q$$

3.11 μ

$$I_2 = A \cdot \cos 32^\circ = 0,2 L \cdot \cos 32^\circ \quad (3.13)$$

3.4 $3.28-$

$$10^\circ < \alpha < 41^\circ \quad (3.12) \quad ; \quad 18^\circ < \beta < 32^\circ$$

$$I_1 = 0,26 L \cdot \cos 10^\circ \cong 0,26 L \quad I_2 = 0,2 L \cdot \cos 32^\circ = 0,17 L$$

$$(3.23)$$

$$I_1 / I_2 = 1,5$$

$$(3.22)$$

μ

$$0,26L - 0,09L = 0,17L \quad = \quad - \quad = 0,73L - 0,26L = 0,47L$$

$$Z \quad -$$

$$0,39L - 0,26L = 0,13L$$

(3.4)

() (3.21 3.22)

3.4.

()

1,9

2,3

3.4

	(30°)		(30°)
<i>Q</i>	0,26	0,2	0,7
<i>F</i>	0,32	0,47	0,49
<i>(Q) = (F)</i>	$Q 0,26 = F 0,32$	$Q 0,2 = F 0,47$	$Q 0,17 = F 0,49$
<i>Q</i>	$0,32/0,26=1,23$	$0,47/0,2=2,35$	$0,49/0,17=2,88$
<i>Q</i>	1	1,91	2,34

$$f(t) = \frac{1}{\sqrt{2f}} e^{-\frac{t^2}{2}}$$

t	t									
	0	1	2	3	4	5	6	7	8	9
0,0	39894	39892	39886	39876	39862	39844	39822	39797	39667	39733
0,1	39695	39654	39608	39559	39505	39448	39387	39322	39253	39181
0,2	39104	39024	38940	38853	38762	38667	38568	38466	38361	38251
0,3	38139	38023	37903	37780	37654	37524	37391	37255	37115	36973
0,4	36827	36678	36526	36371	36213	36053	35889	35723	35553	35381
0,5	35207	35029	34849	34667	34482	34294	34105	33912	33718	33521
0,6	33322	33121	32918	32713	32506	32297	32086	31874	31659	31443
0,7	31225	31006	30785	30563	30339	30114	29897	29658	29431	29200
0,8	28969	28737	28504	28269	28034	27798	27562	27324	27086	26848
0,9	26609	26369	26129	25888	25647	25406	25164	24923	24681	24439
1,0	24197	23955	23713	23471	23230	22988	22747	22506	22265	22025
1,1	21785	21546	21307	21069	20831	20594	20357	20121	19886	19652
1,2	19419	19186	18954	18724	18494	18265	18037	17810	17585	17360
1,3	17137	16915	16694	16474	16256	16038	15822	15608	15395	15183
1,4	14973	14764	14556	14350	14146	13943	13742	13542	13344	13147
1,5	12952	12758	12566	12376	12188	12001	11816	11632	11450	11270
1,6	11092	10915	10741	10567	10396	10226	10059	09893	09728	09566
1,7	09405	09246	09089	08933	08780	08628	08478	08329	08183	08038
1,8	07895	07754	07614	07477	07341	07206	07074	06943	06814	06687
1,9	06562	06438	06316	06195	06077	05959	05844	05730	05618	05508
2,0	05399	05292	05186	05082	04980	04879	04780	04682	04586	04491
2,1	04398	04307	04217	04128	04041	03955	03871	03788	03706	03626
2,2	03547	03470	03394	03319	03246	03174	03103	03034	02965	02898
2,3	02833	02768	02705	02643	02581	02522	02463	02406	02349	02294
2,4	02239	02186	02134	02083	02033	01984	01936	01888	01842	01797
2,5	01753	01709	01667	01625	01585	01545	01506	01468	01431	01394
2,6	01358	01323	01289	01256	01223	01191	01160	01130	01100	01071
2,7	01042	01014	00987	00961	00935	00909	00885	00861	00836	00814
2,8	00792	00770	00748	00727	00707	00687	00668	00649	00631	00613
2,9	00595	00578	00562	00545	00530	00514	00499	00485	00470	00457
3,0	00443	00430	00417	00405	00393	00381	00370	00358	00348	00337
3,1	00327	00317	00307	00298	00288	00279	00271	00262	00254	00246
3,2	00238	00231	00224	00216	00210	00203	00196	00190	00184	00178
3,3	00172	00167	00161	00156	00151	00146	00141	00136	00132	00127
3,4	00123	00119	00115	00111	00107	00104	00100	00097	00094	00090
3,5	00087	00084	00081	00079	00076	00073	00071	00068	00066	00063

$$t) = \frac{1}{\sqrt{2f}} \int_0^t e^{-\frac{x^2}{2}} dx$$

t	t									
	0	1	2	3	4	5	6	7	8	9
0,0	00000	00798	01596	02393	03191	03988	04784	05581	06376	07171
0,1	07966	08759	09552	10343	11134	11924	12712	13499	14285	15069
0,2	15852	16633	17413	18191	18967	19741	20514	21284	22052	22818
0,3	23582	24344	25103	25860	26614	27366	28115	28862	29605	30346
0,4	31084	31819	32551	33280	34006	34729	35448	36164	36877	37587
0,5	38292	38995	39694	40389	41080	41768	42452	43132	43809	44481
0,6	45149	45814	46474	47131	47783	48431	49075	49714	50350	50981
0,7	51607	52230	52848	53461	54070	54675	55275	55870	56461	57047
0,8	57629	58206	58778	59346	59909	60468	61021	61570	62114	62653
0,9	63188	63718	64243	64763	65278	65789	66294	66795	67291	67783
1,0	68269	68750	69227	69699	70166	70628	71086	71538	71986	72429
1,1	72867	73300	73729	74152	74571	74986	75395	75800	76200	76595
1,2	76986	77372	77754	78130	78502	78870	79233	79592	79945	80295
1,3	80640	80980	81316	81648	81975	82298	82617	82931	83241	83547
1,4	83849	84146	84439	84728	85013	85294	85571	85844	86113	86378
1,5	86639	86896	87149	87398	87644	87886	88124	88358	88589	88817
1,6	89040	89260	89477	89690	89899	90106	90309	90508	90704	90897
1,7	91087	91273	91457	91637	91814	91988	92159	92327	92492	92655
1,8	92814	92970	93124	93275	93423	93569	93711	93852	93989	94124
1,9	94257	94387	94514	94639	94762	94882	95000	95116	95230	95341
2,0	95450	95557	95662	95764	95865	95964	96060	96155	96247	96338
2,1	96427	96514	96599	96683	96765	96844	96923	96999	97074	97148
2,2	97219	97289	97358	97425	97491	97555	97618	97679	97739	97798
2,3	97855	97911	97966	98019	98072	98123	98172	98221	98269	98315
2,4	98360	98405	98448	98490	98531	98571	98611	98651	98689	98723
2,5	98758	98793	98826	98859	98891	98923	98953	98983	99012	99040
2,6	99068	99095	99121	99146	99171	99195	99219	99241	99264	99285
2,7	99307	99327	99347	99367	99386	99404	99422	99439	99456	99473
2,8	99489	99505	99520	99535	99549	99563	99576	99590	99602	99615
2,9	99627	99639	99650	99661	99672	99682	99692	99702	99712	99721
3,0	99730	99739	99747	99755	99763	99771	99779	99786	99793	99800
3,1	99806	99813	99819	99825	99831	99837	99842	99848	99853	99858
3,2	99863	99867	99872	99876	99880	99885	99889	99892	99896	99900
3,3	99903	99907	99910	99913	99916	99919	99922	99925	99928	99930
3,4	99933	99935	99937	99940	99942	99944	99946	99948	99950	99952
3,5	99953	99955	99957	99958	99960	99961	99963	99964	99966	99967

$$t) = \frac{1}{\sqrt{2f}} \int_{-\infty}^t e^{-\frac{x^2}{2}} dx$$

<i>t</i>	<i>t</i>									
	0	1	2	3	4	5	6	7	8	9
-3,0	0014	0013	0013	0012	0012	0011	0011	0011	0010	0010
-2,9	0019	0018	0018	0017	0016	0016	0015	0015	0014	0014
-2,8	0026	0025	0024	0023	0023	0022	0021	0021	0020	0019
-2,7	0035	0034	0033	0032	0031	0030	0029	0028	0027	0026
-2,6	0047	0045	0044	0043	0042	0040	0039	0038	0037	0036
-2,5	0062	0060	0059	0057	0055	0054	0052	0051	0049	0048
-2,4	0082	0080	0078	0076	0073	0071	0070	0068	0066	0064
-2,3	0107	0104	0102	0099	0096	0094	0091	0089	0087	0084
-2,2	0139	0136	0132	0129	0126	0122	0119	0116	0113	0110
-2,1	0179	0174	0170	0166	0162	0158	0154	0150	1046	0143
-2,0	0228	0222	0217	0212	0207	0202	0197	0192	0188	0183
-1,9	0287	0281	0274	0268	0262	0256	0250	0244	0239	0233
-1,8	0359	0352	0344	0336	0329	0322	0314	0307	0301	0294
-1,7	0446	0436	0427	0418	0409	0401	0392	0384	0375	0367
-1,6	0548	0537	0526	0516	0505	0495	0485	0475	0465	0455
-1,5	0668	0655	0643	0630	0618	0606	0594	0582	0571	0559
-1,4	0808	0793	0778	0764	0749	0735	0721	0707	0694	0681
-1,3	0968	0951	0934	0918	0901	0885	0869	0853	0838	0823
-1,2	1151	1131	1112	1094	1075	1057	1038	1020	2003	0985
-1,1	1357	1335	1314	1292	1271	1251	1230	1210	1190	1170
-1,0	1587	1563	1539	1515	1492	1469	1446	1423	1401	1379
-0,9	1841	1814	1788	1762	1736	1711	1685	1660	1635	1611
-0,8	2119	2090	2061	2033	2005	1977	1949	1922	1894	1868
-0,7	2420	2389	2358	2327	2297	2266	2236	2207	2177	2148
-0,6	2743	2709	2676	2644	2611	2579	2546	2514	2483	2451
-0,5	3085	3050	3015	2981	2946	2912	2877	2843	2810	2776
-0,4	3446	3409	3372	3336	3300	3264	3228	3192	3156	3121
-0,3	3821	3783	3745	3707	3669	3632	3594	3557	3520	3483
-0,2	4207	4168	4129	4091	4052	4013	3974	3936	3897	3859
-0,1	4602	4562	4522	4483	4443	4404	4364	4325	4286	4247
0,0	5000	4960	4920	4880	4840	4801	4761	4721	4681	4641
0,0	5000	5040	5080	5120	5160	5199	5239	5279	5319	5359
0,1	5398	5438	5478	5517	5557	5596	5636	5675	5714	5754
0,2	5793	5832	5871	5910	5948	5987	6026	6064	6103	6141
0,3	6179	6217	6255	6293	6331	6368	6406	6443	6480	6517
0,4	6554	6591	6628	6664	6700	6736	6772	6808	6844	6879
0,5	6915	6950	6985	7019	7054	7088	7123	7157	7190	7224
0,6	7258	7291	7324	7357	7389	7422	7454	7486	7518	7549
0,7	7580	7611	7642	7673	7704	7734	7764	7794	7823	7852
0,8	7881	7910	7939	7967	7996	8023	8051	8079	8106	8133

III

<i>t</i>	<i>t</i>									
	0	1	2	3	4	5	6	7	8	9
0,9	8159	8186	8212	8238	8264	8289	8315	8340	8365	8389
1,0	8413	8438	8461	8485	8508	8531	8554	8577	8599	8621
1,1	8643	8665	8686	8708	8729	8749	8770	8790	8810	8830
1,2	8849	8869	8888	8907	8925	8944	8962	8980	8997	9015
1,3	9032	9049	9066	9082	9099	9115	9131	9147	9162	9177
1,4	9192	9207	9222	9236	9251	9265	9279	9292	9306	9319
1,5	9332	9345	9357	9370	9382	9394	9406	9418	9430	9441
1,6	9452	9463	9474	9484	9495	9505	9515	9525	9535	9545
1,7	9554	9564	9573	9582	9591	9599	9608	9616	9625	9633
1,8	9641	9649	9656	9664	9671	9678	9686	9693	9700	9706
1,9	9713	9719	9726	9732	9738	9744	9750	9756	9762	9767
2,0	9773	9778	9783	9788	9793	9798	9803	9808	9812	9817
2,1	9821	9826	9830	9834	9838	9842	9846	9850	9854	9857
2,2	9861	9864	9868	9871	9874	9878	9881	9884	9887	9890
2,3	9893	9896	9898	9901	9904	9906	9909	9911	9913	9916
2,4	9918	9920	9922	9924	9927	9929	9931	9932	9934	9936
2,5	9938	9940	9941	9943	9945	9946	9948	9949	9951	9952
2,6	9953	9955	9956	9957	9959	9960	9961	9962	9963	9964
2,7	9965	9966	9967	9968	9969	9970	9971	9972	9973	9974
2,8	9974	9975	9976	9977	9977	9978	9979	9980	9980	9981
2,9	9981	9982	9983	9983	9984	9984	9985	9985	9986	9986
3,0	9987	9987	9987	9988	9988	9989	9989	9989	9990	9990

t²

<i>df</i>			
	0,95	0,99	0,999
1,0	3,8	6,6	10,8
2,0	6	9,2	13,8
3,0	7,8	11,3	16,3
4,0	9,5	13,3	18,5
5,0	11,1	15,1	20,5
6,0	12,6	16,8	22,5
7,0	14,1	18,5	24,3
8,0	15,5	20,1	26,1
9,0	16,9	21,7	27,9
10,0	18,3	23,2	29,6
11,0	19,7	24,7	31,3
12,0	21	26,2	32,9
13,0	22,4	27,7	34,5
14,0	23,7	29,1	36,1
15,0	25	30,6	37,7
16,0	26,3	32	39,3
17,0	27,6	33,4	40,8
18,0	28,9	34,8	42,3
19,0	30,1	36,2	43,8
20,0	31,4	37,6	45,3
21,0	32,7	38,9	46,8
22,0	33,9	40,3	48,3
23,0	35,2	41,6	49,7
24,0	36,4	43	51,2
25,0	37,7	44,3	52,6
26,0	38,9	45,6	54,1
27,0	40,1	47	55,5
28,0	41,3	48,3	56,9
29,0	42,6	49,6	58,3
30,0	43,8	50,9	59,7

n	χ_1		χ_2	
	0,05	0,01	0,05	0,01
10,0	1,13	1,49	1,43	-
20,0	0,92	1,21	1,41	1,95
30,0	0,79	1,05	1,31	1,78
40,0	0,71	0,93	1,19	1,62
50,0	0,63	0,84	1,11	1,50
60,0	0,59	0,78	1,05	1,42
80,0	0,52	0,68	0,94	1,25
100,0	0,47	0,62	0,85	1,14
200,0	0,37	0,44	0,63	0,83
500,0	0,21	0,28	0,42	0,55
1000,0	0,15	0,20	0,30	0,40

t

<i>df</i>				<i>df</i>			
	0,95	0,99	0,999		0,95	0,99	0,999
1	12,7	63,7	637,0	18	2,10	2,88	3,92
2	4,30	9,92	31,6	19	2,09	2,86	3,88
3	3,18	5,84	12,9	20	2,09	2,85	3,85
4	2,78	4,60	8,61	21	2,08	2,83	3,82
5	2,57	4,03	6,86	22	2,07	2,82	3,79
6	2,45	3,71	5,96	23	2,07	2,81	3,77
7	2,36	3,50	5,40	24	2,06	2,80	3,74
8	2,31	3,36	5,04	25	2,06	2,79	3,72
9	2,26	3,25	4,78	26	2,06	2,78	3,71
10	2,23	3,17	4,59	27	2,05	2,77	3,69
11	2,20	3,11	4,44	28	2,05	2,76	3,66
12	2,18	3,05	4,32	29	2,05	2,76	3,66
13	2,16	3,01	4,22	30	2,04	2,75	3,65
14	2,14	2,98	4,14	40	2,02	2,70	3,55
15	2,13	2,95	4,07	60	2,00	2,66	3,46
16	2,12	2,92	4,01	120	1,98	2,62	3,37
17	2,11	2,90	3,96	>120	1,96	2,58	3,29

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1.1.

1.2.

1.3.

1.3.1.

1.3.2.

1.4.

1.5.

1.5.1.

1.5.2.

1.6.

1.6.1.

1.6.2.

1.7.

1.7.1. ()

1.7.2.

1.8.

2.

2.1.1.

2.1.2.

2.1.3.

2.2.

2.2.1. () ()

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2.3.

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2.5.

2.5.1.

2.5.2.

2.5.3. ()

3.

3.1.

3.2.

3.2.1.

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3.3. ()

3.4.

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- 1.1.**
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- 1.3.** .
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- 3.**
- 3.1.
- 3.2.
- 3.2.1.
- 3.2.2.
- 3.3.**
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